

INTRODUCTION TO RADIATIVE-HYDRODYNAMIC MODELING

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With Contributions from Joel Allred (NASA/GSFC) and Mats Carlsson (Univ. of Oslo)



RADIATIVE-HYDRODYNAMIC (RHD) MODELING

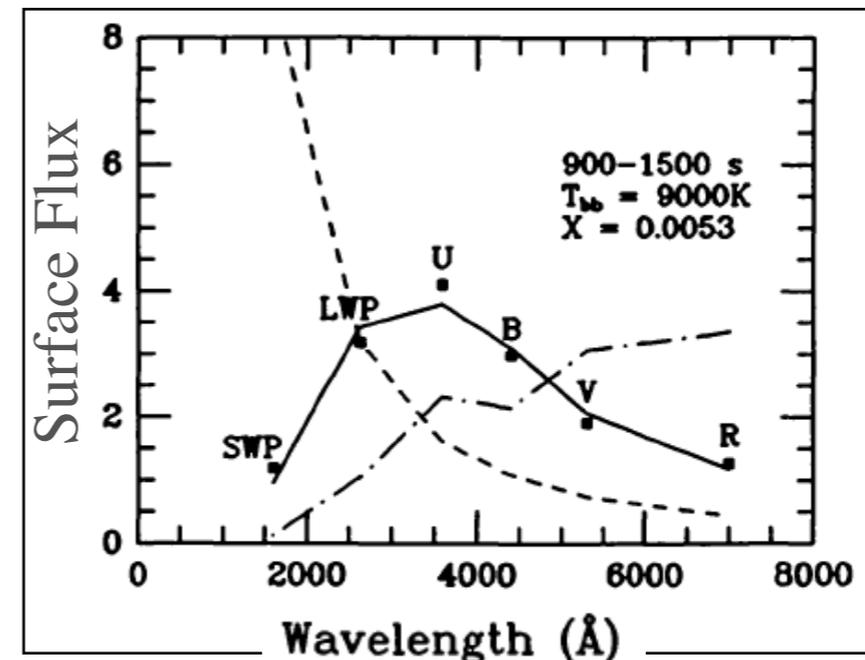
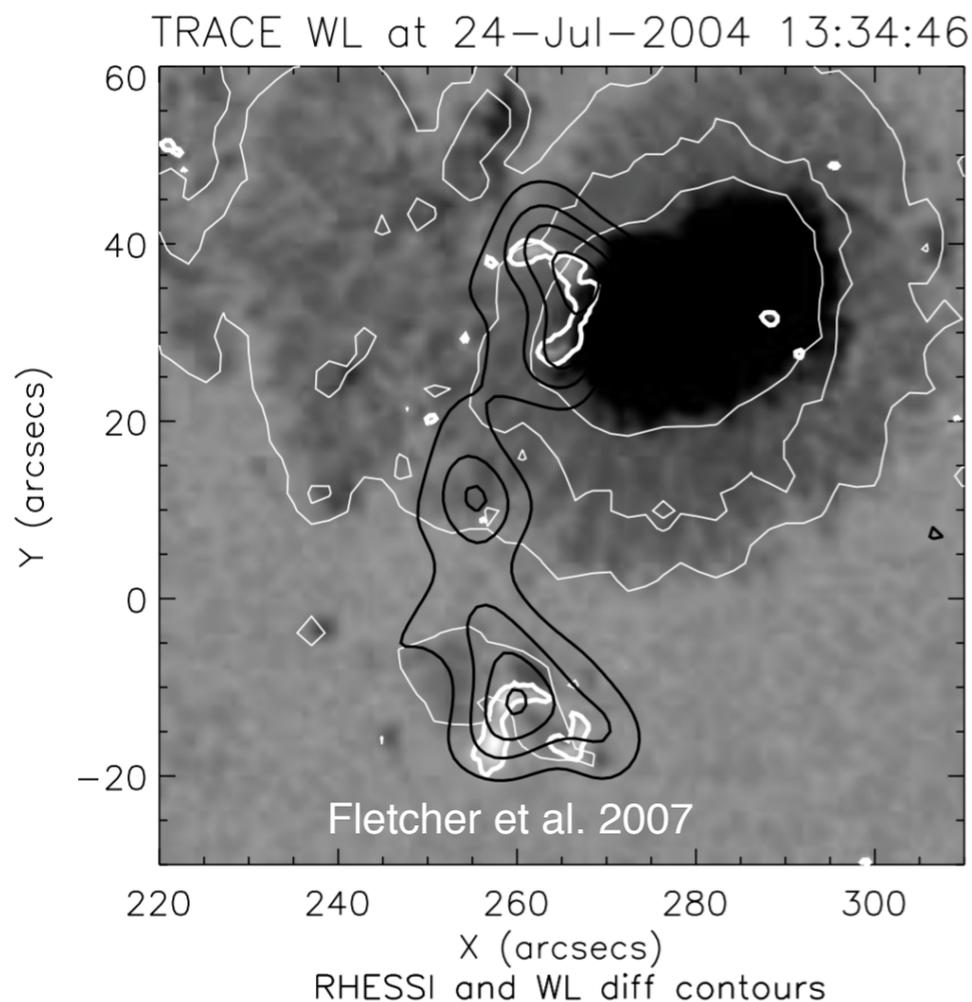
- ▶ Suggested reading (on Prof Longcope's website):
 - ▶ Allred et al. 2015 *ApJ*
 - ▶ Carlsson 1998

RADIATIVE-HYDRODYNAMIC (RHD) MODELING

- ▶ Goals for today's lecture:
 - ▶ Motivate modeling the chromosphere
 - ▶ Introduce the essentials of radiative-hydrodynamics
 - ▶ On Monday: will do an IDL-based lab with RADYN (Carlsson & Stein 1997 ApJ) model output
 - ▶ analyze the physics of chromospheric evaporation and condensation resulting from electron beam heating

OBSERVATIONAL MOTIVATION FOR MODELING THE RADIATIVE TRANSFER

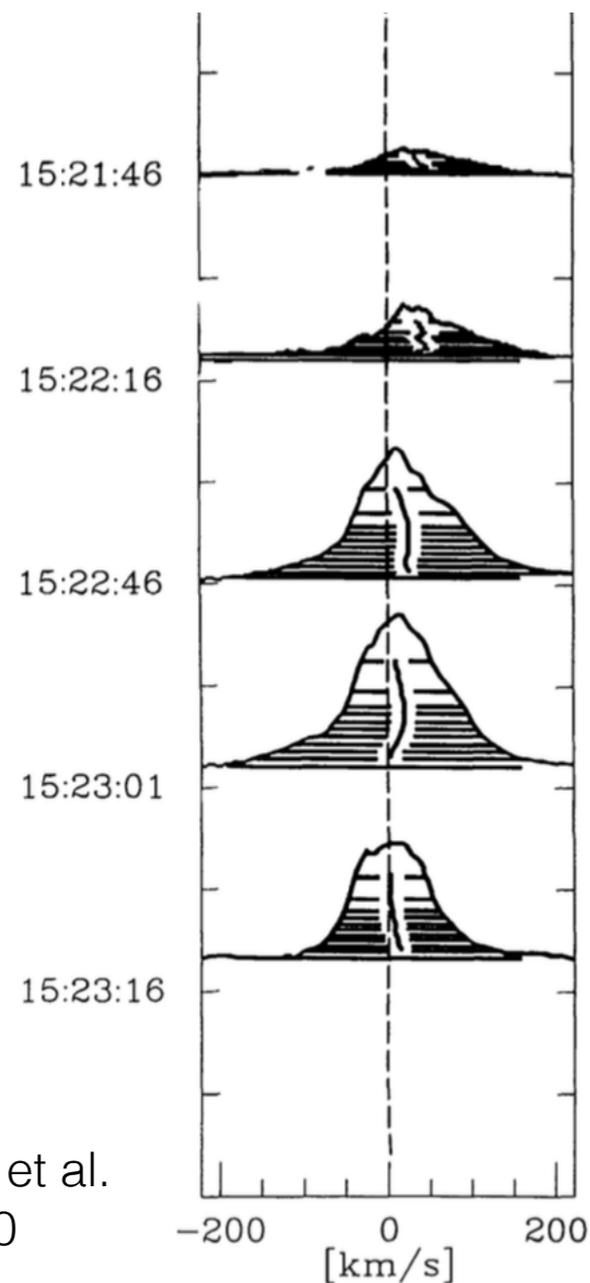
- ▶ White-light continuum radiation
 - ▶ chromospheric? photospheric? A combination?
- ▶ $T \sim 9000 - 10,000$ K blackbody(-like) in optical and NUV



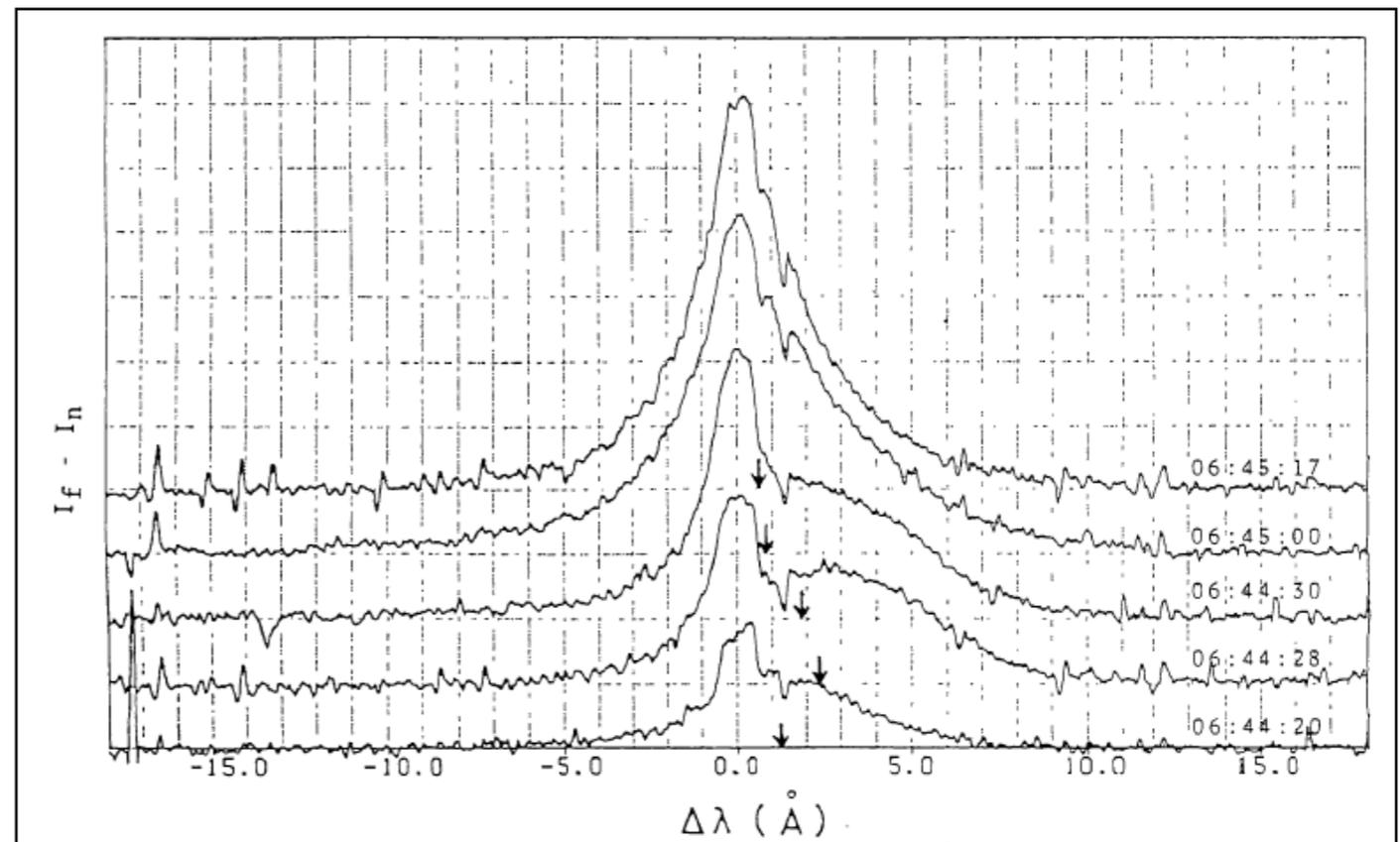
Hawley & Fisher (1992)

OBSERVATIONAL MOTIVATION FOR MODELING THE DYNAMICS

- ▶ Redshifts in H α in solar flares: signatures of chromospheric condensation (heated, downflowing compressions)



Canfield et al.
1990



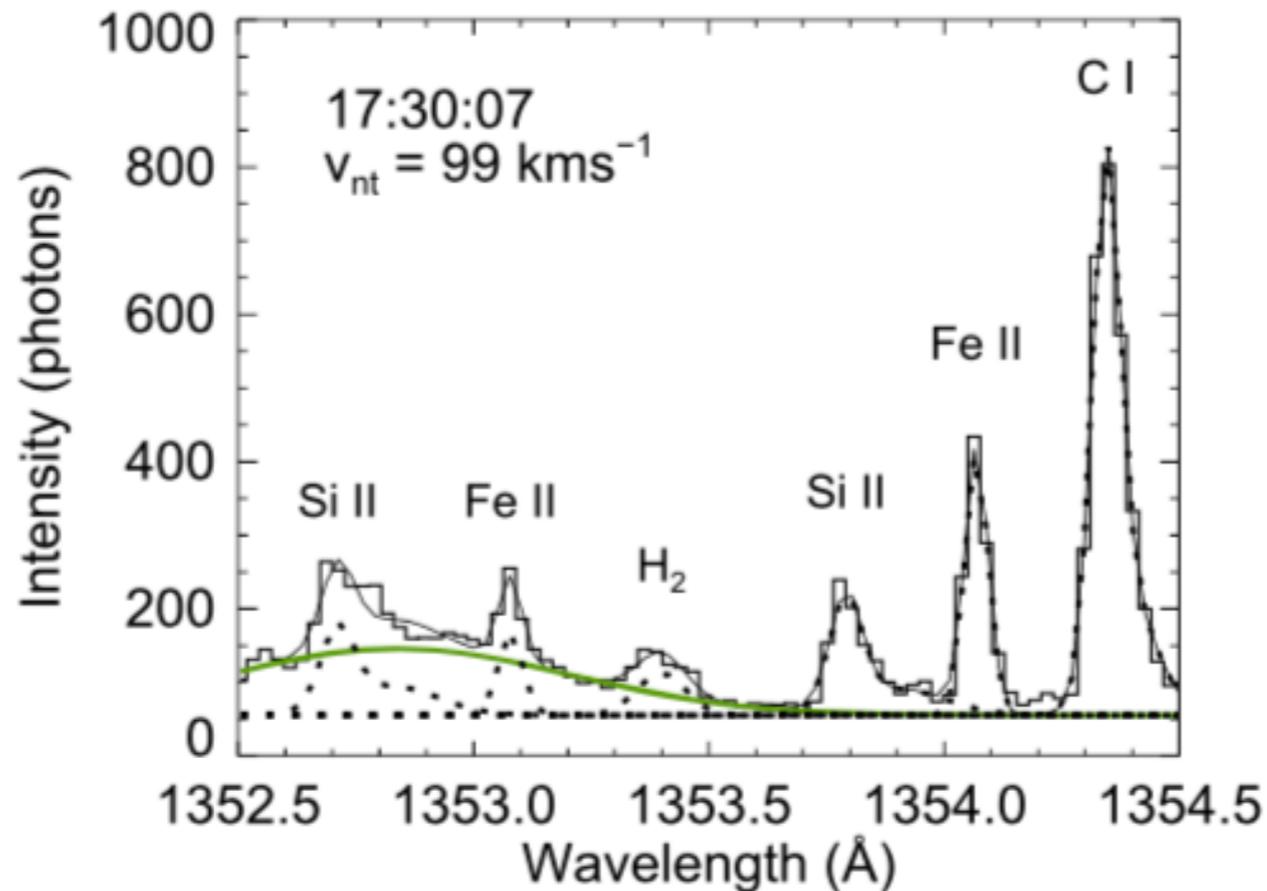
Ichimoto & Kurokawa 1984:
40-140 km/s redshifts in H α

...Sometimes blueshifts observed too

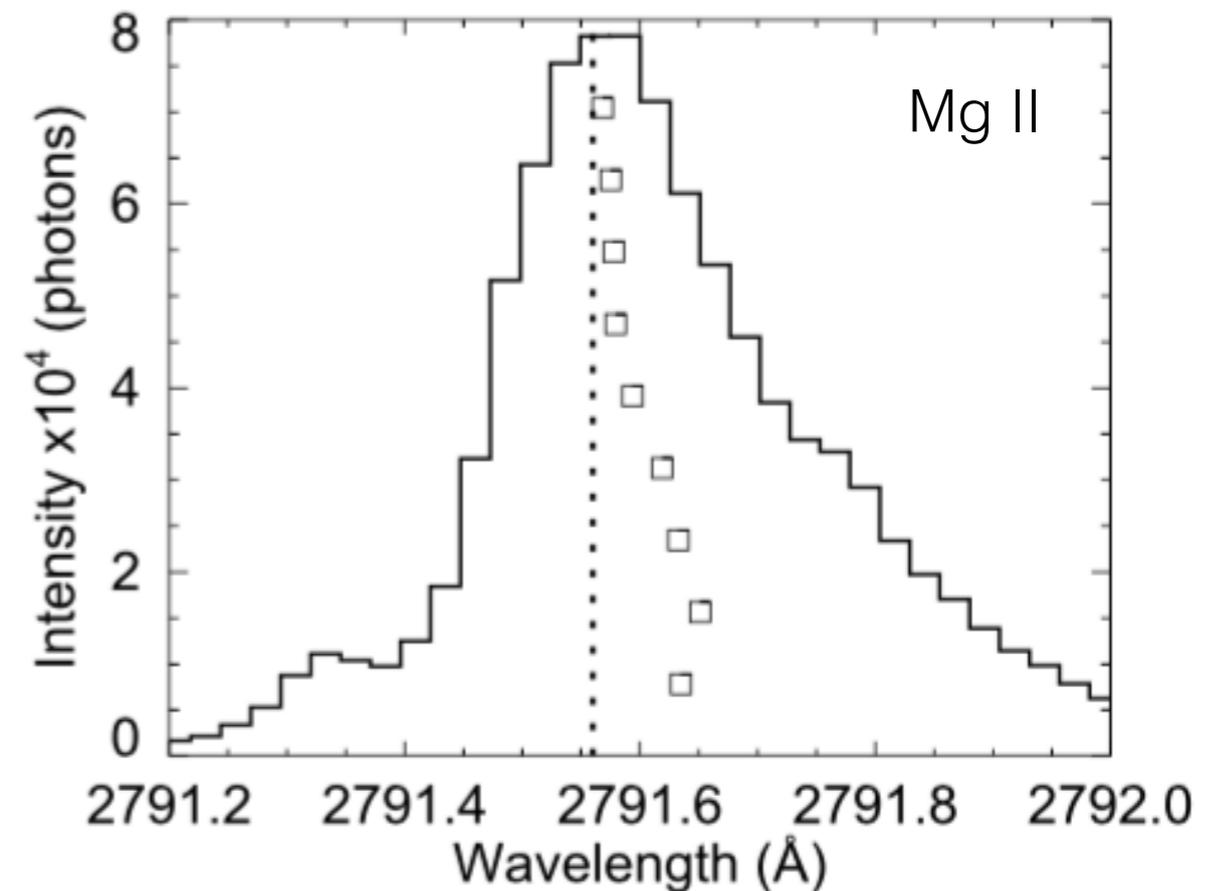
OBSERVATIONAL MOTIVATION FOR MODELING THE DYNAMICS

- ▶ Redshifts in Mg II (and other singly ionized chromospheric lines from *IRIS* data) in solar flares

Graham & Cauzzi 2015



Evaporation flows



Condensation flows

- ▶ In hard X-ray phase: Can we understand these processes with electron beam heating?

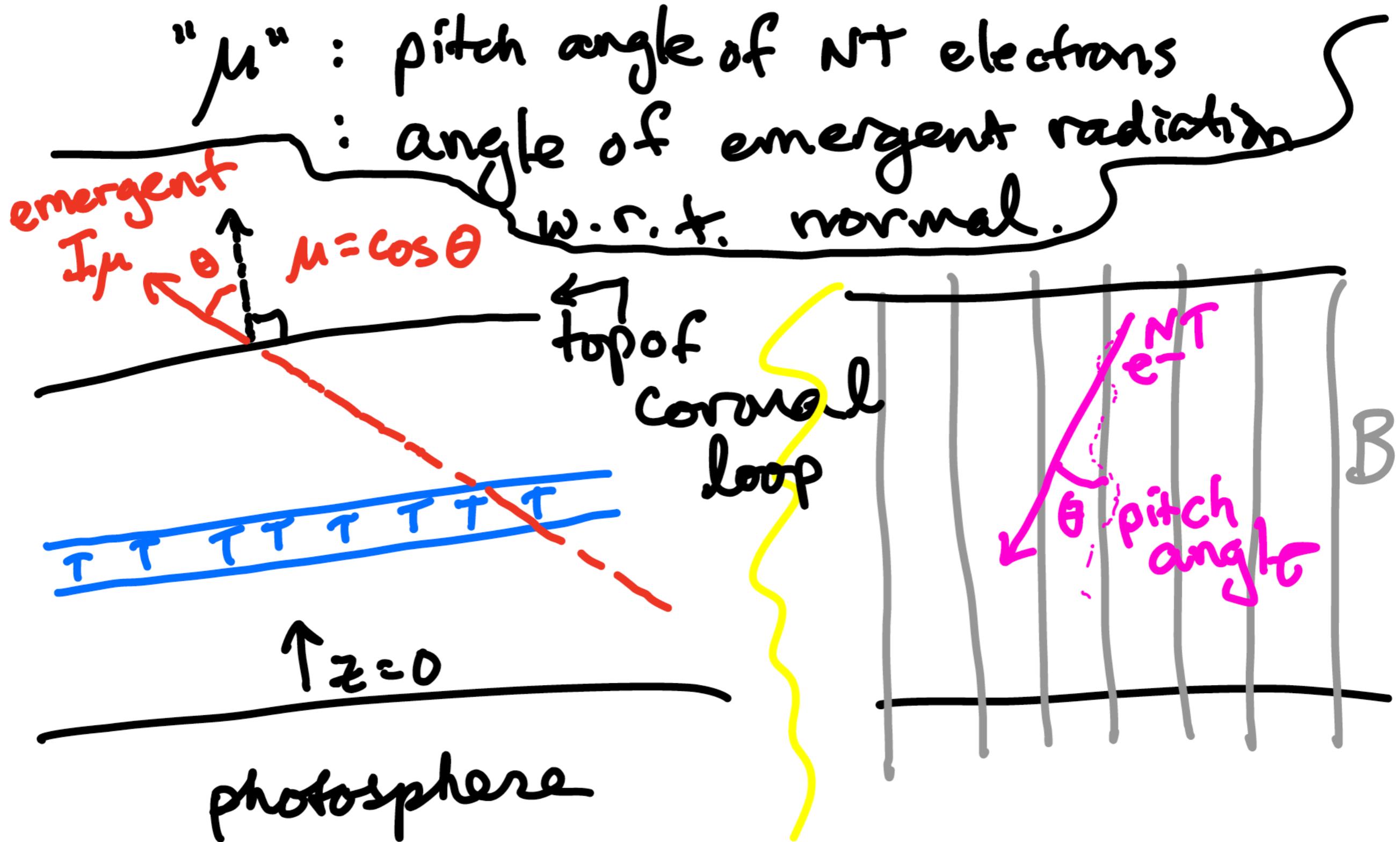
INGREDIENTS FOR RADIATIVE-HYDRODYNAMIC FLARE MODELING

- ▶ 1D model atmosphere with photosphere, chromosphere, transition region, and corona.
- ▶ Solve the radiative-transfer, rate, and charge conservation equations simultaneously with the equations of mass, momentum, and energy conservation.
- ▶ Flare heating prescription from solving the Fokker-Planck equation, as appropriate for partially ionized chromosphere.

1D PLANE-PARALLEL MODELING

- ▶ All motion confined to vertical (z-direction), so what are we assuming?
 - The magnetic pressure is much greater than the gas pressure
 - The center of a strong magnetic flux tube

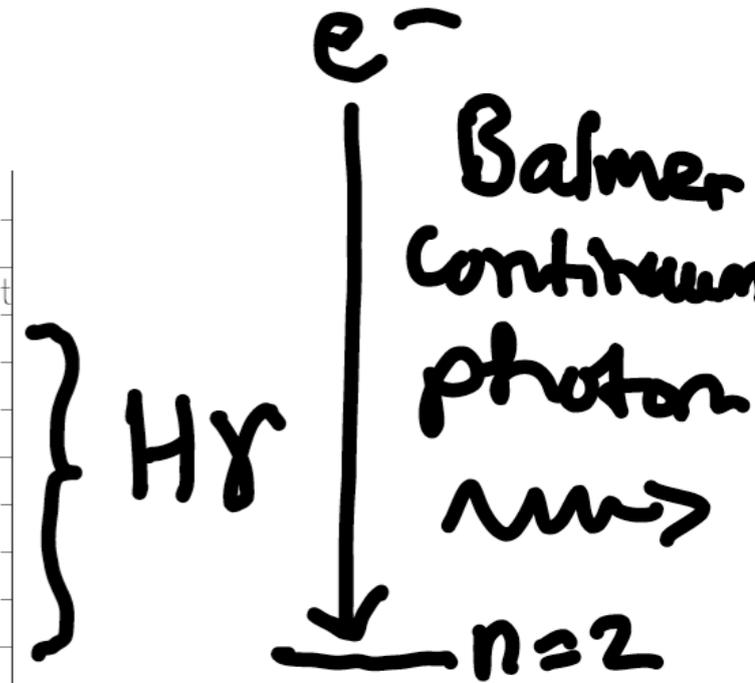
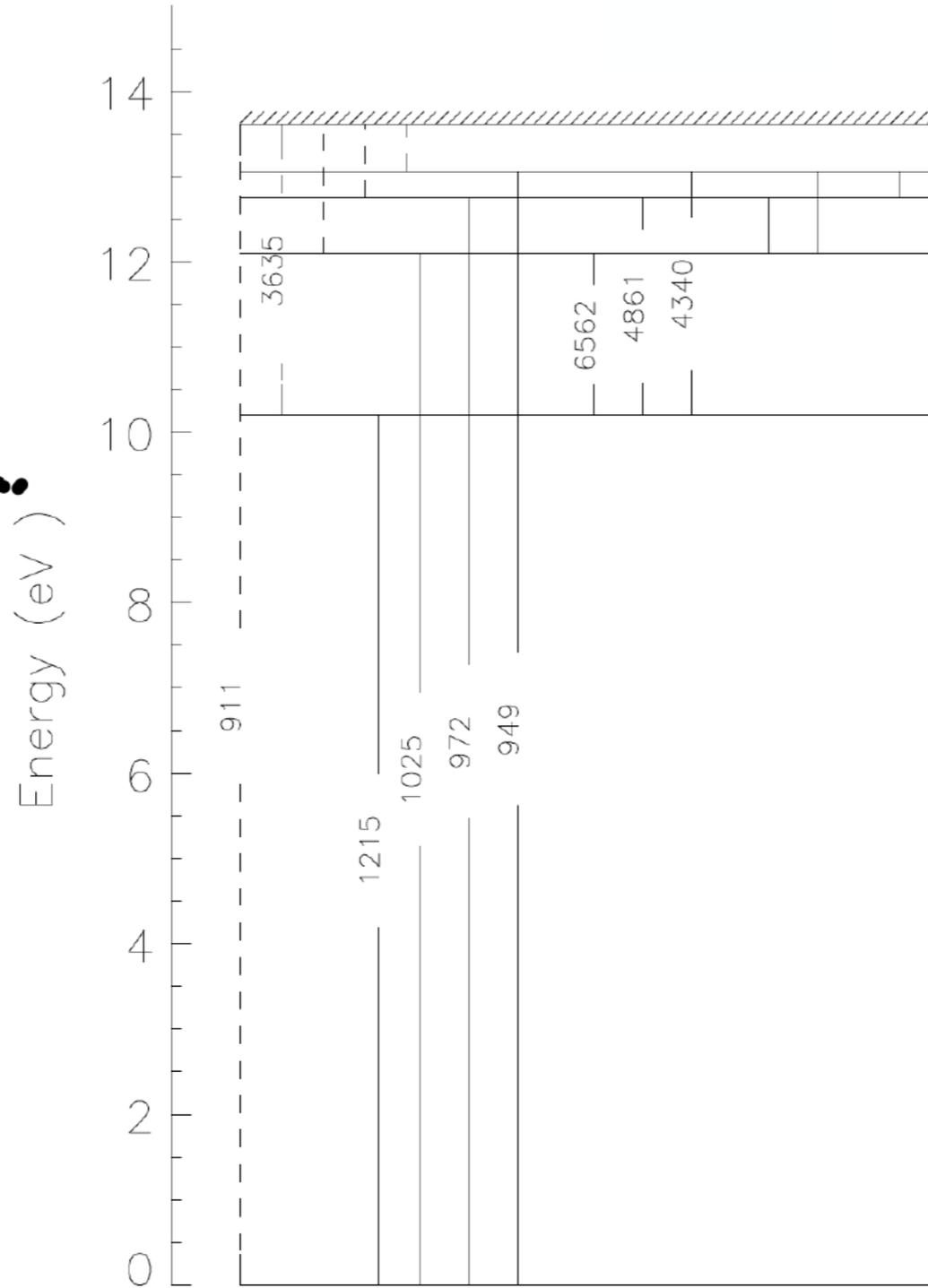
TERMINOLOGY: 1D PLANE-PARALLEL MODELING



***For this lecture $z=0$ is at top of atmosphere; for lab $z=0$ is at photosphere

TERMINOLOGY: THE HYDROGEN ATOM

Lyman,
Balmer,
Paschen...



TERMINOLOGY: LTE VS. NON-LTE

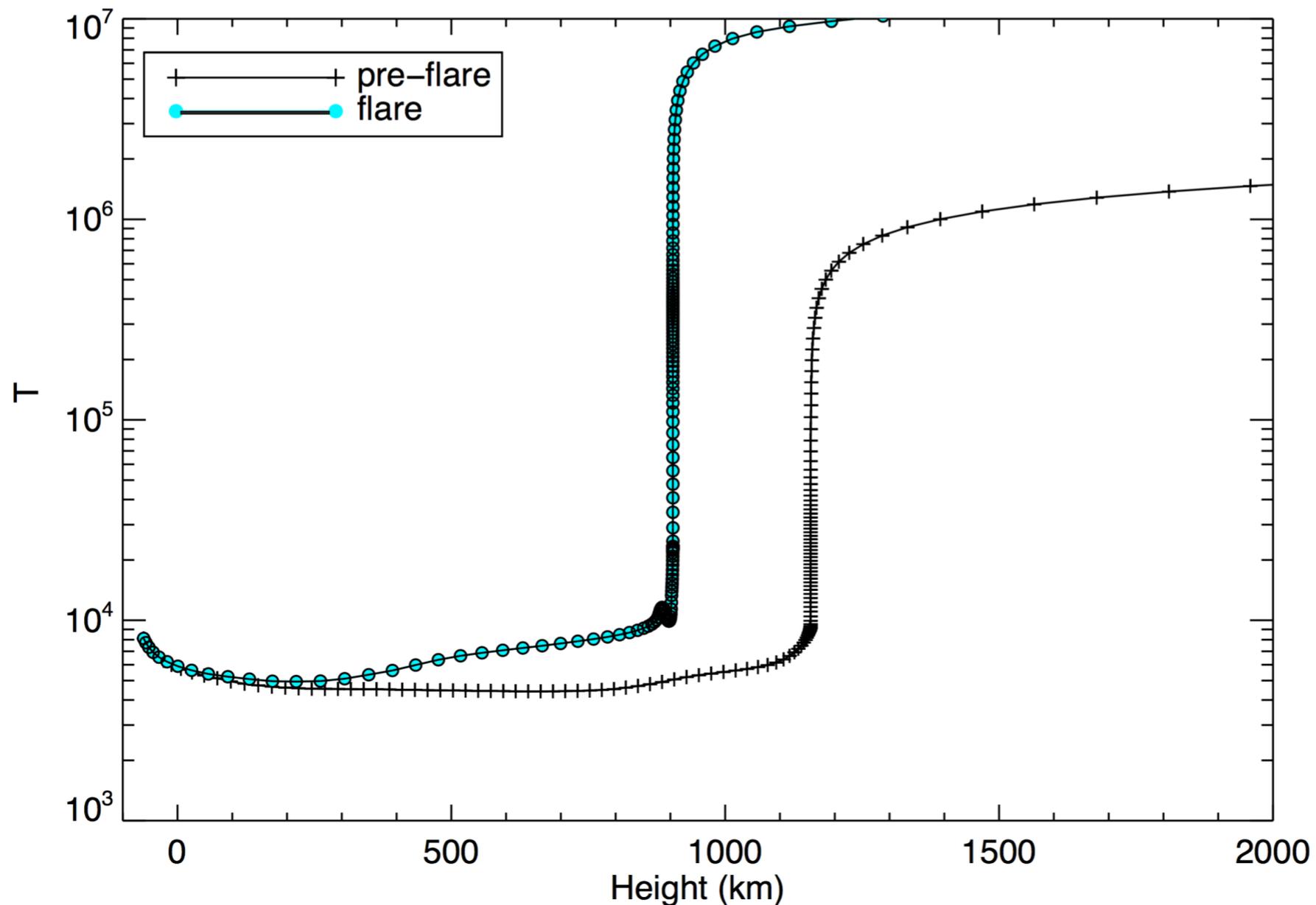
- ▶ LTE: local thermodynamic equilibrium
 - ▶ level populations determined by temperature (collisions)
 - ▶ When collisional rates are high (density is high), can make use of Saha-Boltzmann
 - ▶ The ratio of emissivity to opacity is the Planck function
- ▶ non-LTE:
 - ▶ level populations affected by the radiation field (which can originate from somewhere else in the atmosphere)
 - ▶ scattering of radiation changes levels from their Saha-Boltzmann values

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INITIAL MODEL ATMOSPHERE (1D)

- ▶ Adaptive grid (Dorfi & Drury 1987) to resolve transition region and steep pressure gradients / shocks during flare.



EQUATIONS OF RHD

$$\frac{\partial \rho}{\partial t} + \frac{\partial \rho v}{\partial z} = 0,$$

$$\frac{\partial \rho v}{\partial t} + \frac{\partial \rho v^2}{\partial z} + \frac{\partial (p + q_v)}{\partial z} + \rho g - A_{\text{beam}} = 0,$$

$$\begin{aligned} \frac{\partial \rho e}{\partial t} + \frac{\partial \rho v e}{\partial z} + (p + q_v) \frac{\partial v}{\partial z} \\ + \frac{\partial (F_c + F_r)}{\partial z} - Q_{\text{cor}} - Q_{\text{beam}} - Q_{\text{rc}} = 0, \end{aligned}$$

$$\frac{\partial n_i}{\partial t} + \frac{\partial n_i v}{\partial z} - \left(\sum_{j \neq i}^{N'} n_j P_{ji} - n_i \sum_{j \neq i}^{N'} P_{ij} \right) = 0,$$

$$\mu \frac{\partial I_{\nu\mu}}{\partial z} = \eta_{\nu\mu} - \chi_{\nu\mu} I_{\nu\mu}$$

↑ emissivity ← opacity

(0) Charge conservation

(1) mass

(2) momentum

(3) energy

(4) rate of level population

(5) radiate transfer.

EQUATIONS OF RHD

$$\frac{\partial \rho}{\partial t} + \frac{\partial \rho v}{\partial z} = 0, \tag{1}$$

$$\frac{\partial \rho v}{\partial t} + \frac{\partial \rho v^2}{\partial z} + \frac{\partial (p + q_v)}{\partial z} + \rho g - A_{\text{beam}} = 0, \tag{2}$$

$$\frac{\partial \rho e}{\partial t} + \frac{\partial \rho v e}{\partial z} + (p + q_v) \frac{\partial v}{\partial z} + \frac{\partial (F_c + F_r)}{\partial z} - Q_{\text{cor}} - Q_{\text{beam}} - Q_{\text{rc}} = 0, \tag{3}$$

erg / s / cm³

$$\frac{\partial n_i}{\partial t} + \frac{\partial n_i v}{\partial z} - \left(\sum_{j \neq i}^{N'} n_j P_{ji} - n_i \sum_{j \neq i}^{N'} P_{ij} \right) = 0, \tag{4}$$

$$\mu \frac{\partial I_{\nu\mu}}{\partial z} = \eta_{\nu\mu} - \chi_{\nu\mu} I_{\nu\mu} \tag{5}$$

"beam" = nonthermal electron distribution

e = internal energy density
(thermal + excitation / ionization)

* Q_{rc} = energy deposition rate from return current.

EQUATIONS OF RHD

$$\frac{\partial \rho}{\partial t} + \frac{\partial \rho v}{\partial z} = 0, \quad (1)$$

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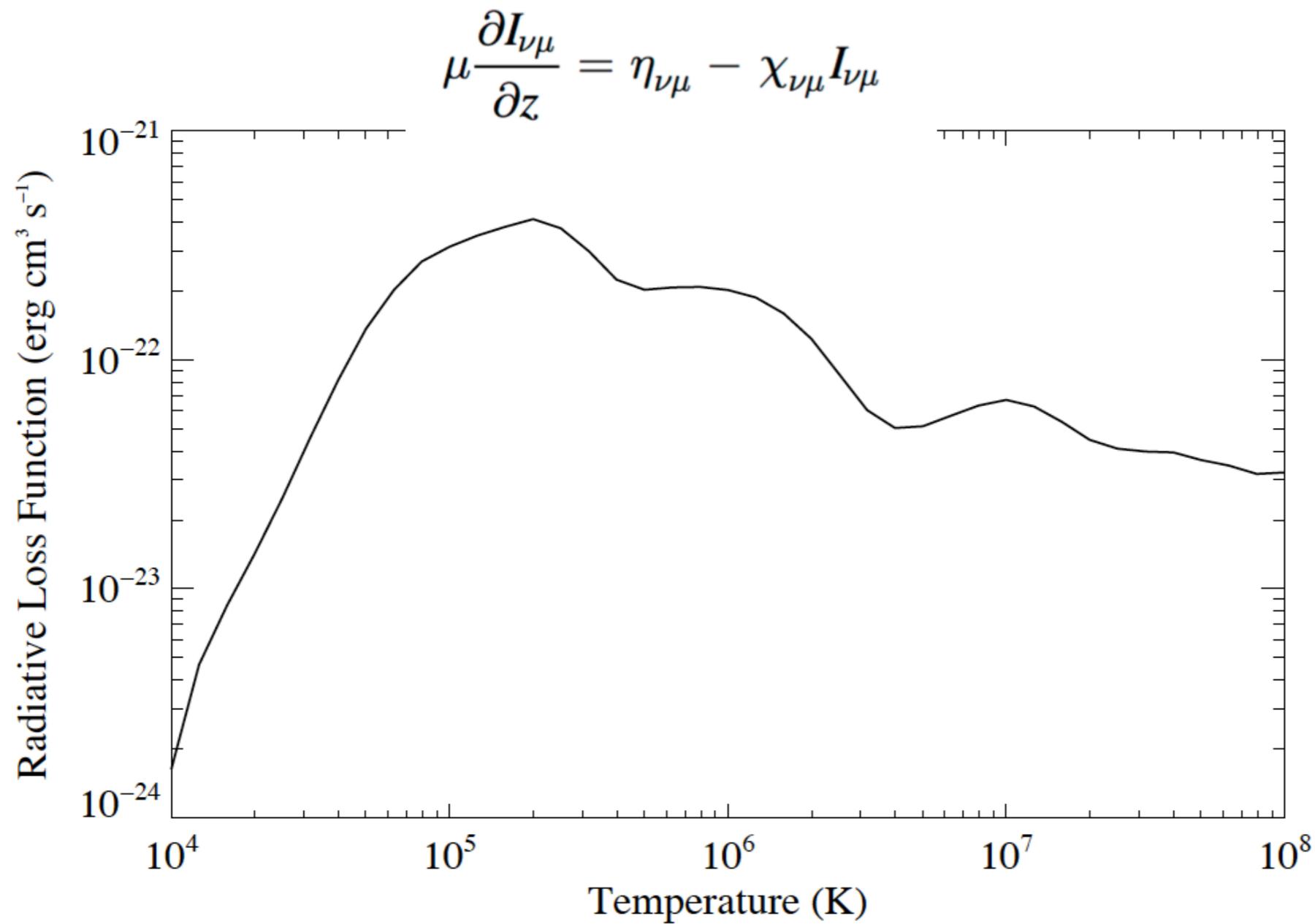
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$$\mu \frac{\partial I_{\nu\mu}}{\partial z} = \eta_{\nu\mu} - \chi_{\nu\mu} I_{\nu\mu} \quad (5)$$

integrate over $\mu \rightarrow F_r$

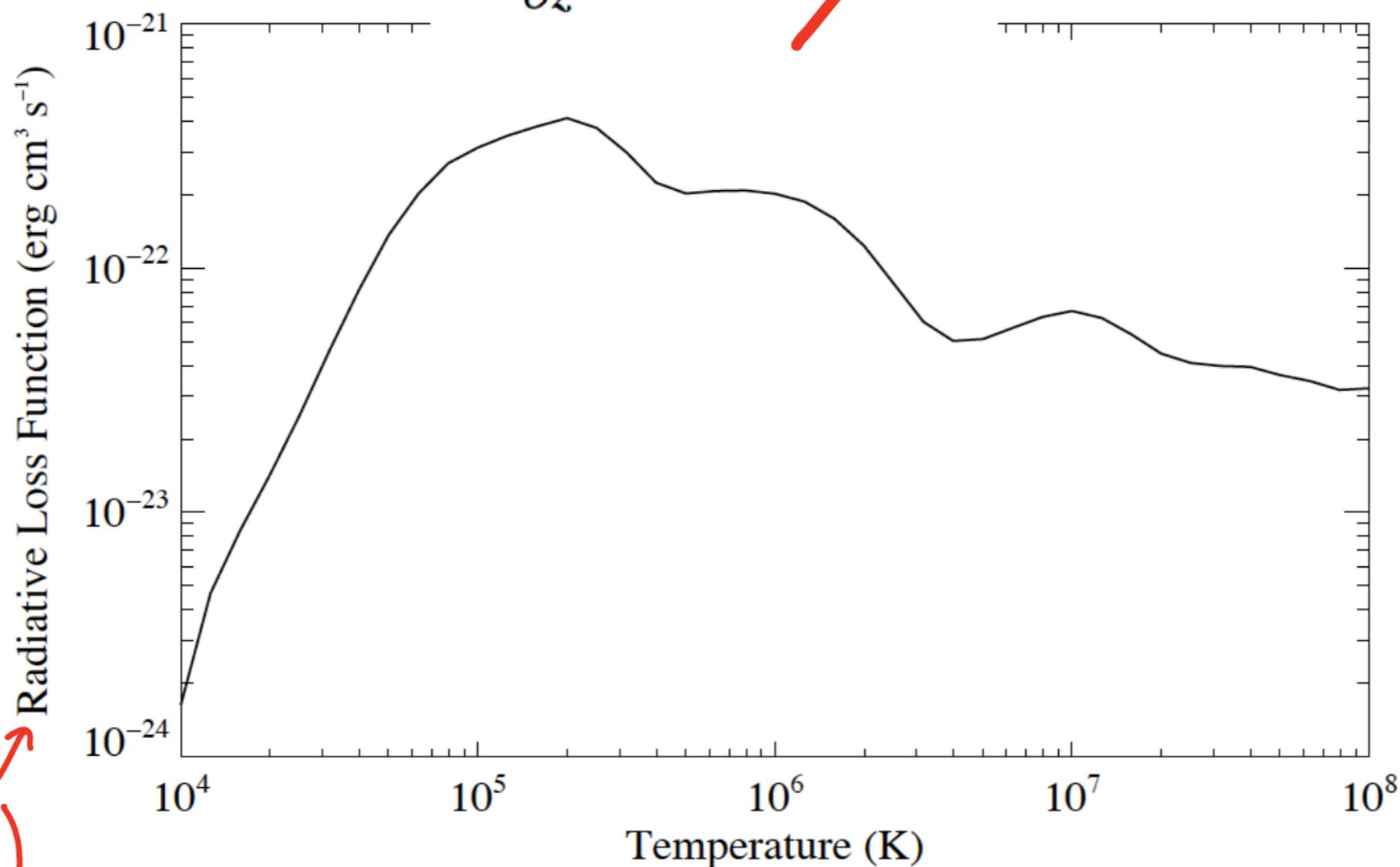
Solve for $I_{\nu,\mu}(\gamma_\nu) \dots$

OPTICALLY THIN RADIATIVE LOSS FUNCTION



OPTICALLY THIN RADIATIVE LOSS FUNCTION

$$\mu \frac{\partial I_{\nu\mu}}{\partial z} = \eta_{\nu\mu} - \chi_{\nu\mu} I_{\nu\mu}$$



$\Lambda(T_e)$

See Prof. Longcope's lectures 9, 11

EQUATIONS OF RHD

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integrate over $\mu \rightarrow F_r$

Solve for $I_{\nu,\mu}(\gamma_\nu) \dots$

certain elements/ions treated "in detail"
 → non-LTE and optically thick, non-equilibrium ionization/excitation

EQUATION OF RADIATIVE TRANSFER AND PLANE-PARALLEL GEOMETRY

$$I_{\nu\mu}(\tau_{\nu}) = \begin{cases} \frac{1}{\mu} \int_{\tau_{\nu}}^{\infty} S_{\nu}(t) e^{-(t-\tau_{\nu})/\mu} dt & \text{if } \mu > 0 \\ \frac{1}{-\mu} \int_0^{\tau_{\nu}} S_{\nu}(t) e^{-(\tau_{\nu}-t)/(-\mu)} dt & \text{if } \mu < 0 \end{cases}$$

$I_{\mu,\nu}(\tau_{\nu}=0) =$ emergent intensity

$$= \frac{1}{\mu} \int_0^{\infty} S_{\nu}(t) e^{-t/\mu} dt$$

For optically thick frequencies.

THE CONTRIBUTION FUNCTION*

$$\text{Emergent Intensity} = I_{\nu, \mu}(z=0)$$

$$= \int_0^{\infty} \frac{1}{\mu} S_{\nu}(\tau_{\nu}) e^{-\tau_{\nu}/\mu} d\tau$$

$$S_{\nu} \equiv \frac{n_{\nu}}{\chi_{\nu}} ; \quad \tau_{\nu} = \int \chi_{\nu} dz$$

$$\Rightarrow I_{\nu, \mu}(z=0) = \int_{z=0}^{\infty} \underbrace{\frac{1}{\mu} n_{\nu} e^{-\int \chi_{\nu} dz}}_{\text{Contribution function}} dz$$

The contribution function to the emergent intensity.

$C_I(z)$ tells you where the emergent intensity is formed. $[\text{erg/s/cm}^2/\text{A/s.r./cm}]$

THE CONTRIBUTION FUNCTION

- ▶ Integrating the contribution function over height gives emergent intensity
- ▶ Integrating (via Gaussian quadrature sum) the emergent intensity over μ gives the *emergent* radiative flux:

$$F_{\nu} = 2\pi \sum_{\mu} I_{\nu, \mu} \mu w_{\mu}$$

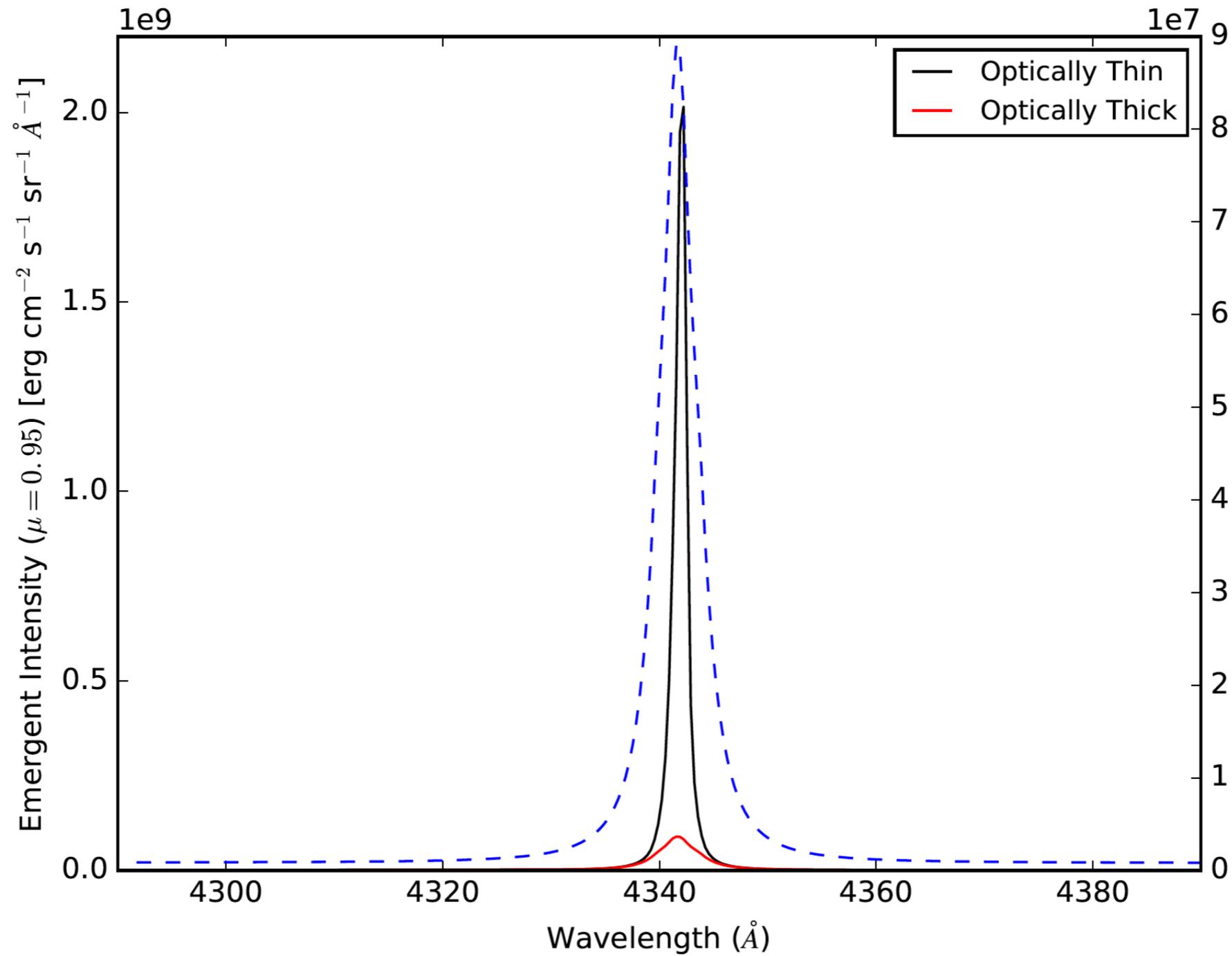
$$w_{\mu} = [0.118, 0.239, 0.284, 0.239, 0.118]$$

$$\mu = [0.0469, 0.231, 0.5, 0.769, 0.953]$$

THE CONTRIBUTION FUNCTION: WHY DO WE CARE?

- ▶ Compare emergent flux from a flare atmosphere to observations.
- ▶ Use contribution function to determine the atmospheric parameters.

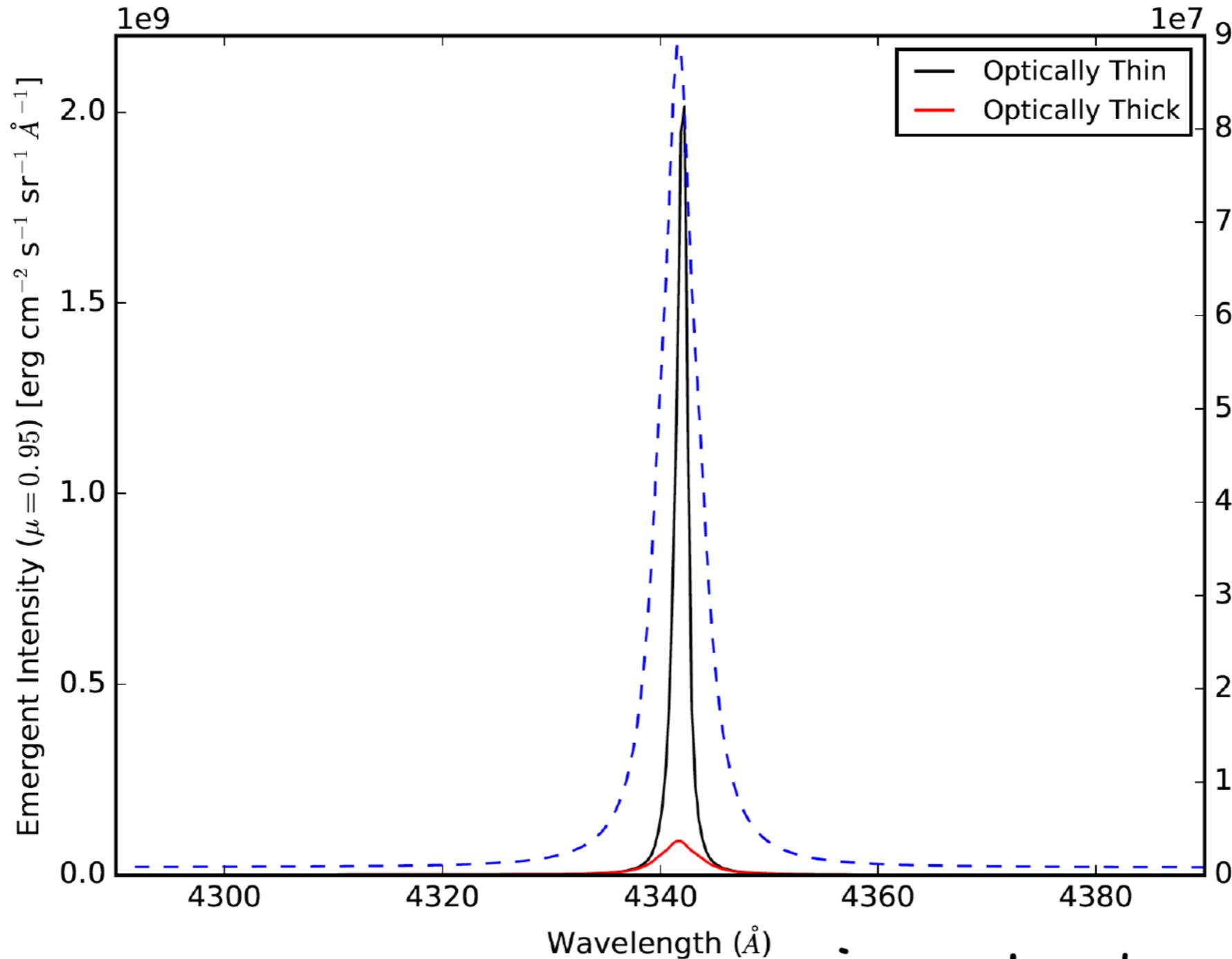
OPTICALLY THICK VS. OPTICALLY THIN



OPTICALLY THICK VS. OPTICALLY THIN

$$\tau_{\nu}(z) = \int_0^z \chi_{\nu}(z) dz$$

$z=0$ is the top of atmosphere



The exponential attenuation of radiation in deep layers results in much less emergent intensity.

OPTICALLY THICK VS. OPTICALLY THIN

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Q: What happens in the energy equation if one assumes that all losses are optically thin?

OPTICALLY THICK VS. OPTICALLY THIN

$$\frac{\partial \rho}{\partial t} + \frac{\partial \rho v}{\partial z} = 0, \quad (1)$$

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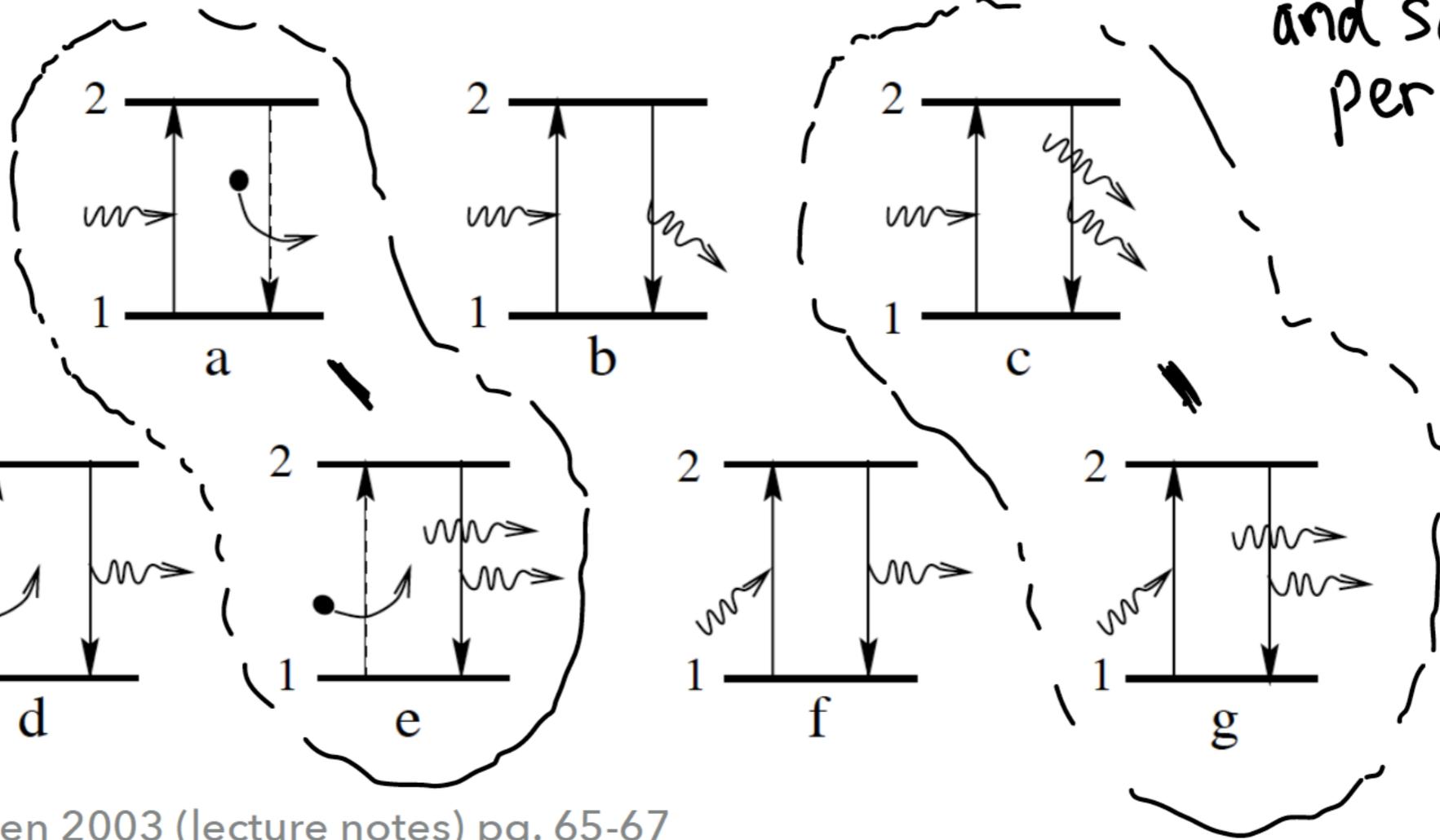
The radiative flux divergence would be too large \rightarrow too much cooling.

OPTICALLY THICK RADIATIVE TRANSFER: OPACITY SOURCES

$$\mu \frac{\partial I_{\nu\mu}}{\partial z} = \eta_{\nu\mu} - \chi_{\nu\mu} I_{\nu\mu}$$

$[\chi] = \text{cm}^{-1}$
 = # of absorptions and scatterings per cm.

$\chi_{\nu,\mu}$



$\eta_{\nu,\mu}$

OPTICALLY THICK RADIATIVE TRANSFER: OPACITY SOURCES

▶ free-free

▶ bound-bound

▶ bound-free

state i computed from the usual Saha–Boltzmann formulae [equation (5-14)] using the *actual* ion density. Then summing over all levels and processes we have the *non-LTE opacity*

$$\chi_\nu = \sum_i \sum_{j>i} [n_i - (g_i/g_j)n_j] \alpha_{ij}(\nu) + \sum_i (n_i - n_i^* e^{-h\nu/kT}) \alpha_{ik}(\nu) + \sum_\kappa n_e n_\kappa \alpha_{\kappa\kappa}(\nu, T) (1 - e^{-h\nu/kT}) + n_e \sigma_e \quad (7-1)$$

where the four terms represent, respectively, the contributions of bound–bound, bound–free, and free–free absorptions, and of electron scattering (other scattering terms—e.g., Rayleigh scattering—may also be added). To calculate the *spontaneous thermal emission* (non-LTE) we use the rates derived in equations (5-55) and (5-62) to write

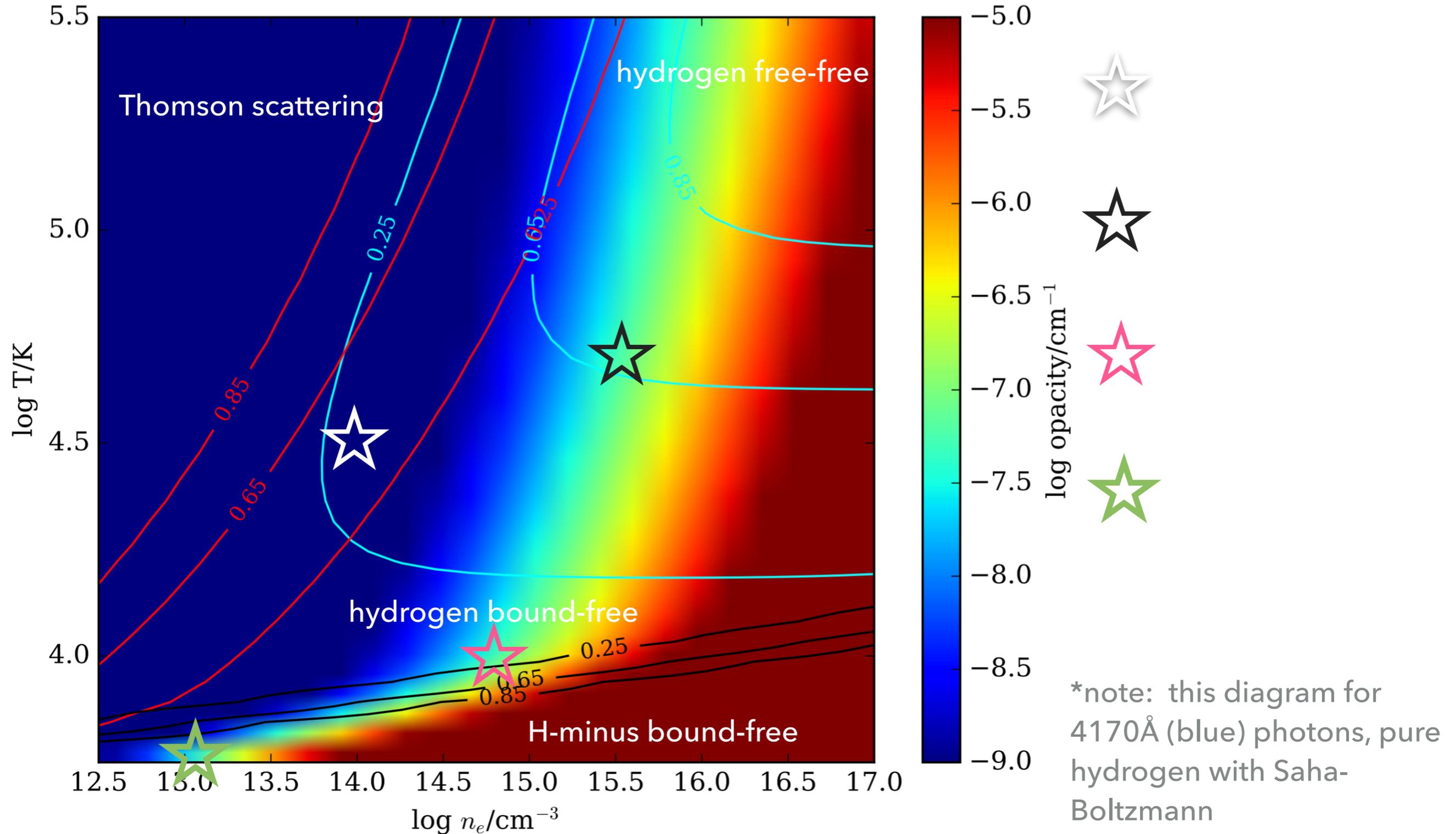
$$\eta_\nu = (2h\nu^3/c^2) \left[\sum_i \sum_{j>i} n_j (g_i/g_j) \alpha_{ij}(\nu) + \sum_i n_i^* \alpha_{ik}(\nu) e^{-h\nu/kT} + \sum_\kappa n_e n_\kappa \alpha_{\kappa\kappa}(\nu, T) e^{-h\nu/kT} \right] \quad (7-2)$$

Mihalas 1978 (*Stellar Atmospheres*, 2nd Ed.)

*alpha is the respective cross section in cm² (see Rutten 2003 lecture notes)

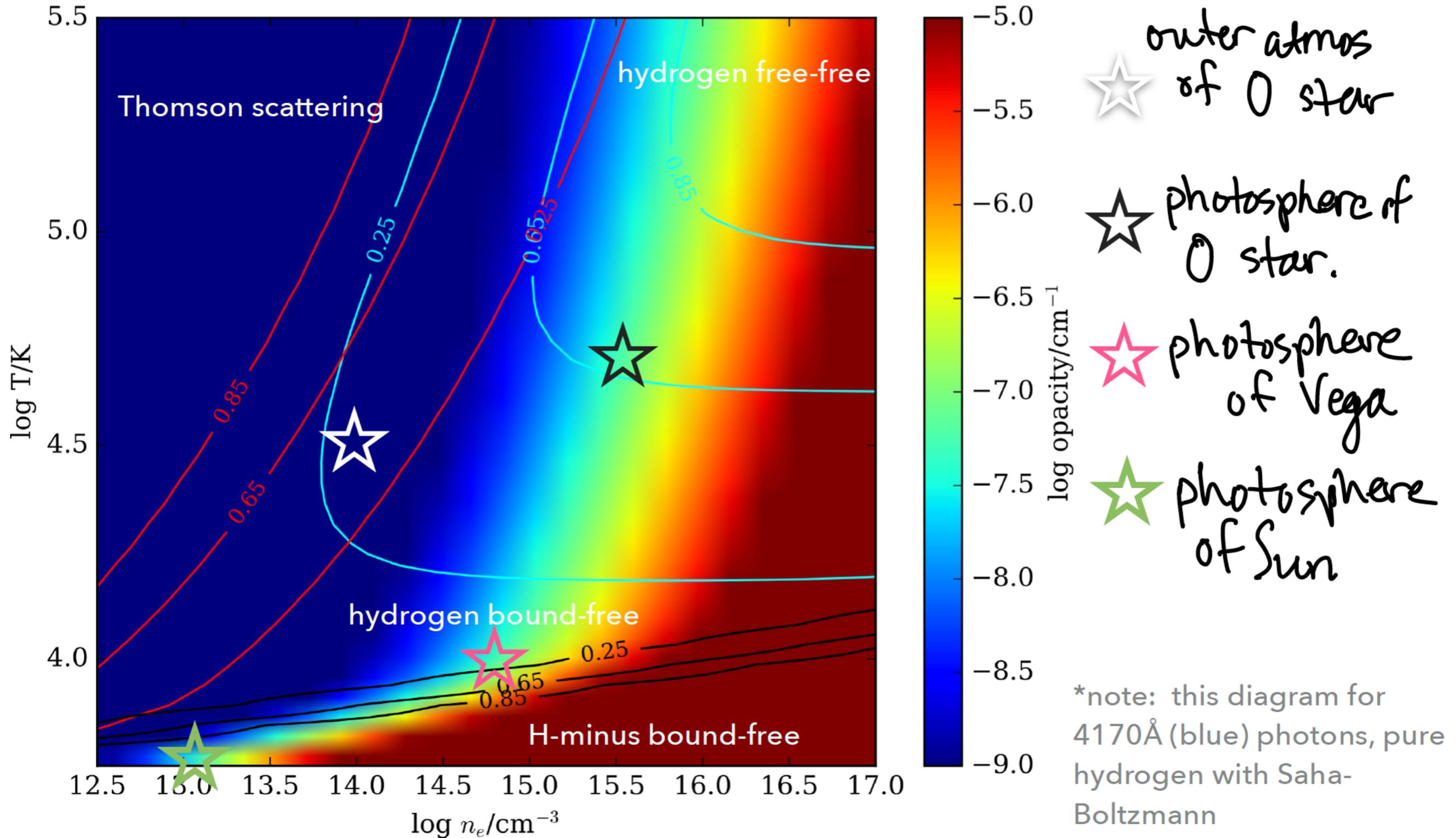
OPTICALLY THICK RADIATIVE TRANSFER: CONTINUUM OPACITY

choices: photosphere of O star, outer atmosphere of O star, photosphere of Vega, photosphere of the Sun



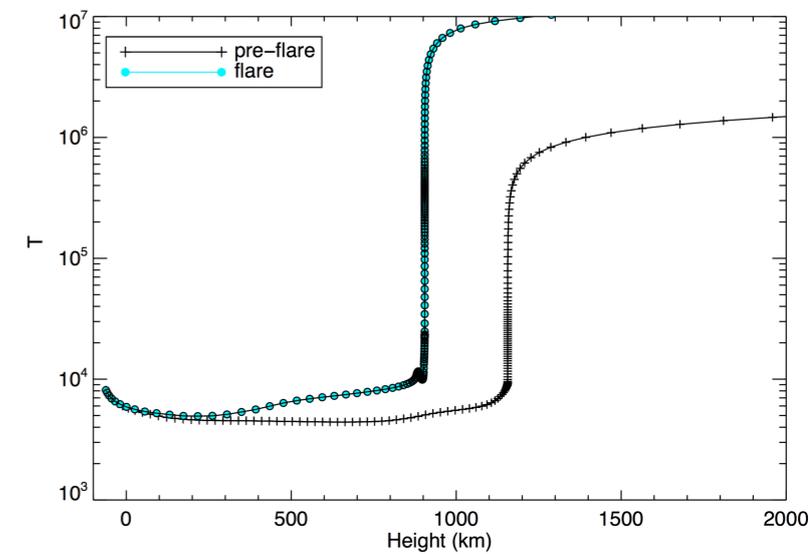
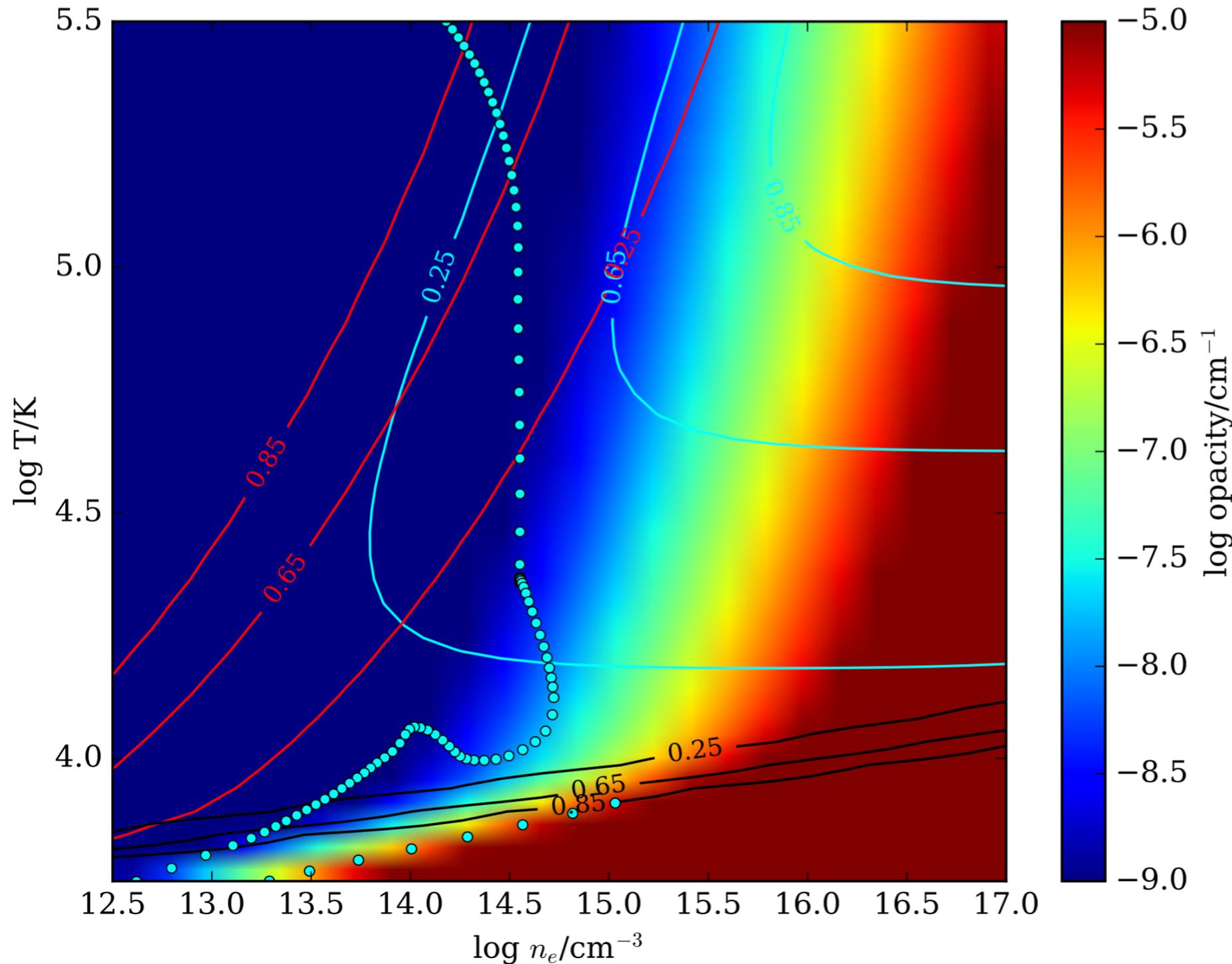
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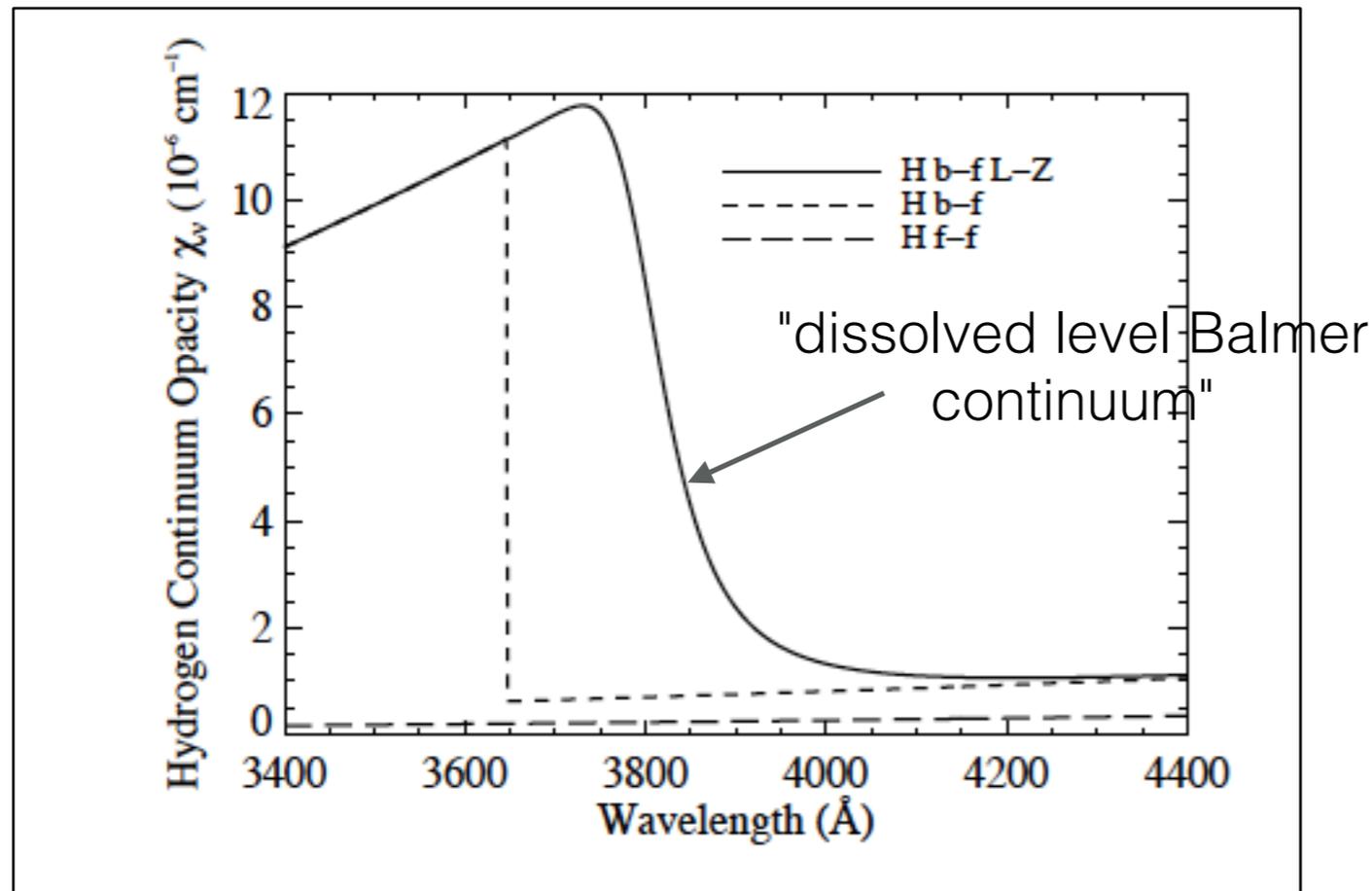
► For a flare atmosphere (open circles):



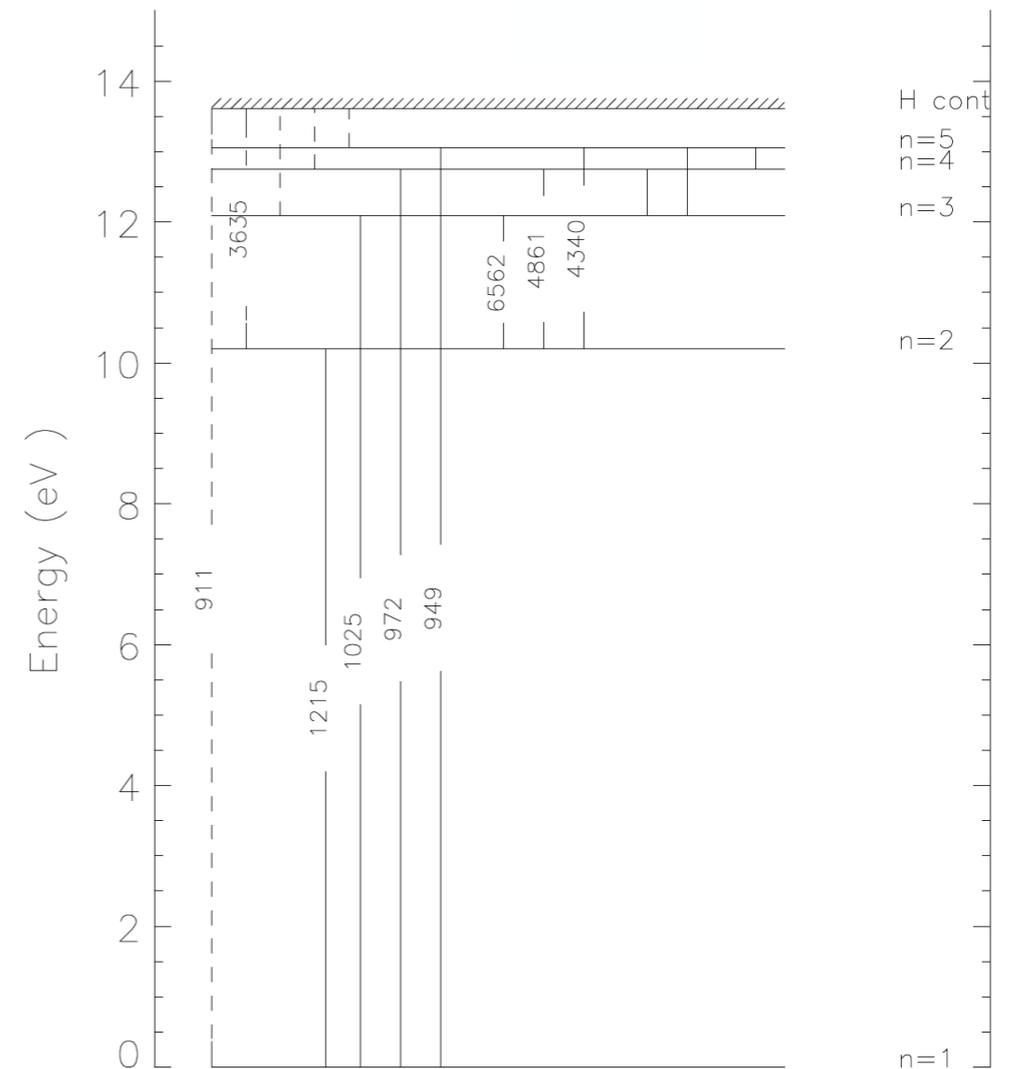
► A flare atmosphere has many sources of opacity

OPTICALLY THICK RADIATIVE TRANSFER: CONTINUUM OPACITY

- ▶ "dissolved level continuum" opacity (see Tremblay & Bergeron 2009, *ApJ*) for hydrogen



Kowalski et al. 2015 SoPh



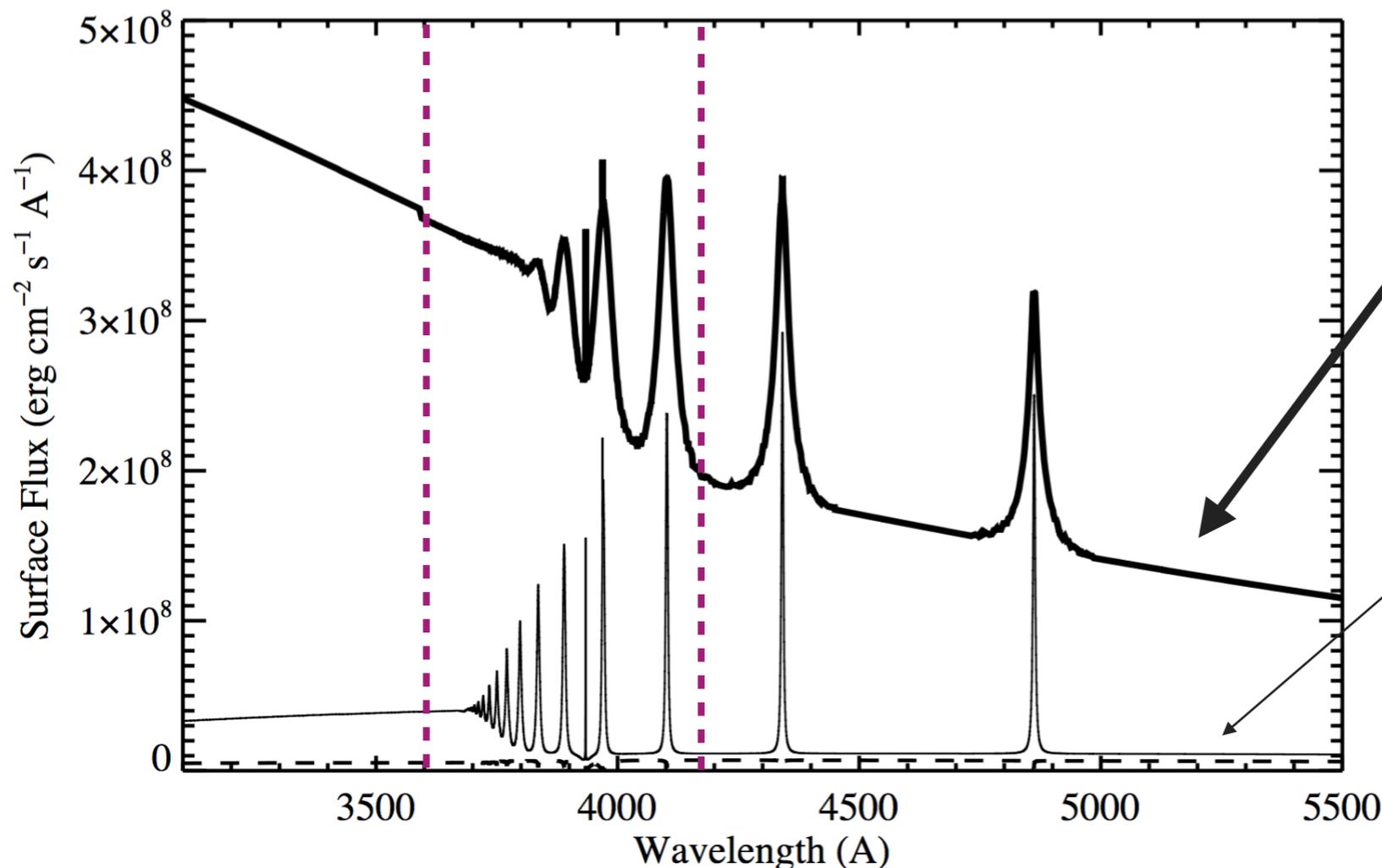
OPTICALLY THICK RADIATIVE TRANSFER: EMISSIVITY

- ▶ erg / s / cm³ / s.r. / Angstrom
- ▶ bound-free for hydrogen (LTE):

$$\eta_{\lambda} = \frac{6.48 \times 10^{-14}}{4\pi\lambda^2} \frac{n_e n_p}{T^{3/2} n^3} e^{\frac{1.58 \times 10^5}{n^2 T} - \frac{1.44 \times 10^8}{\lambda T}}$$
$$\eta_{\lambda} \propto \frac{1}{\lambda^2} e^{\frac{-hc}{\lambda kT}} \quad (\text{for a given principal quantum number } n \text{ and temperature } T)$$

CONTINUUM FORMED AT $T=10,000$ K OVER LOW OR HIGH OPTICAL DEPTH?

- ▶ Photospheric-like or chromospheric-like?
- ▶ Measure the Balmer jump ratio = F_{3600} / F_{4170}
- ▶ Measure a blue-to-red continuum ratio = F_{4170} / F_{6000}



For hydrogen recombination radiation over high optical depth and $T \sim 10,000$ K, Balmer jump ratio is ~ 2 or lower

For hydrogen recombination radiation over low optical depth and $T \sim 10,000$ K, Balmer jump ratio is close to 9-10

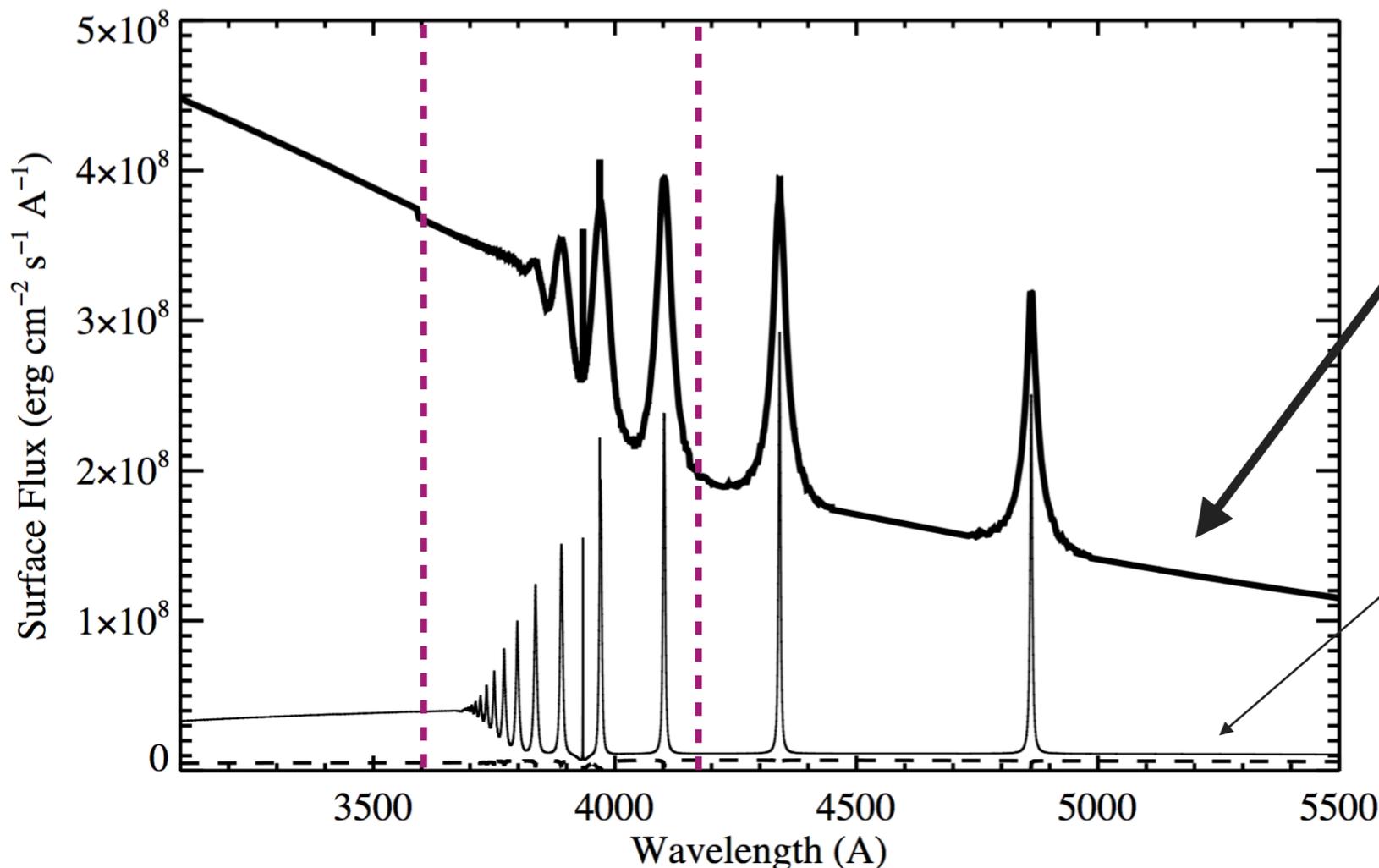
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7,2
or
5,1



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RADIATIVE-HYDRODYNAMIC (RHD) MODELING

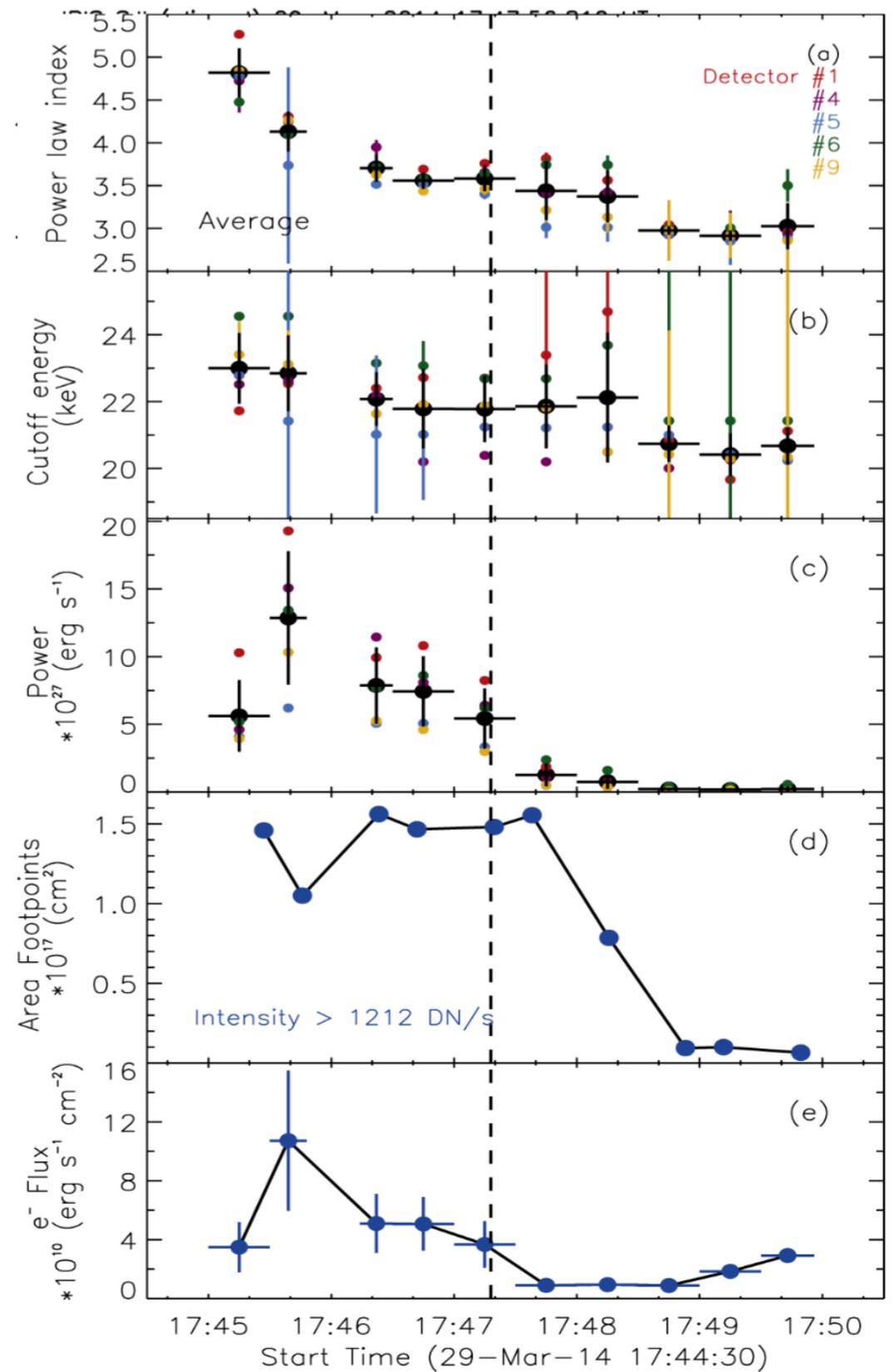
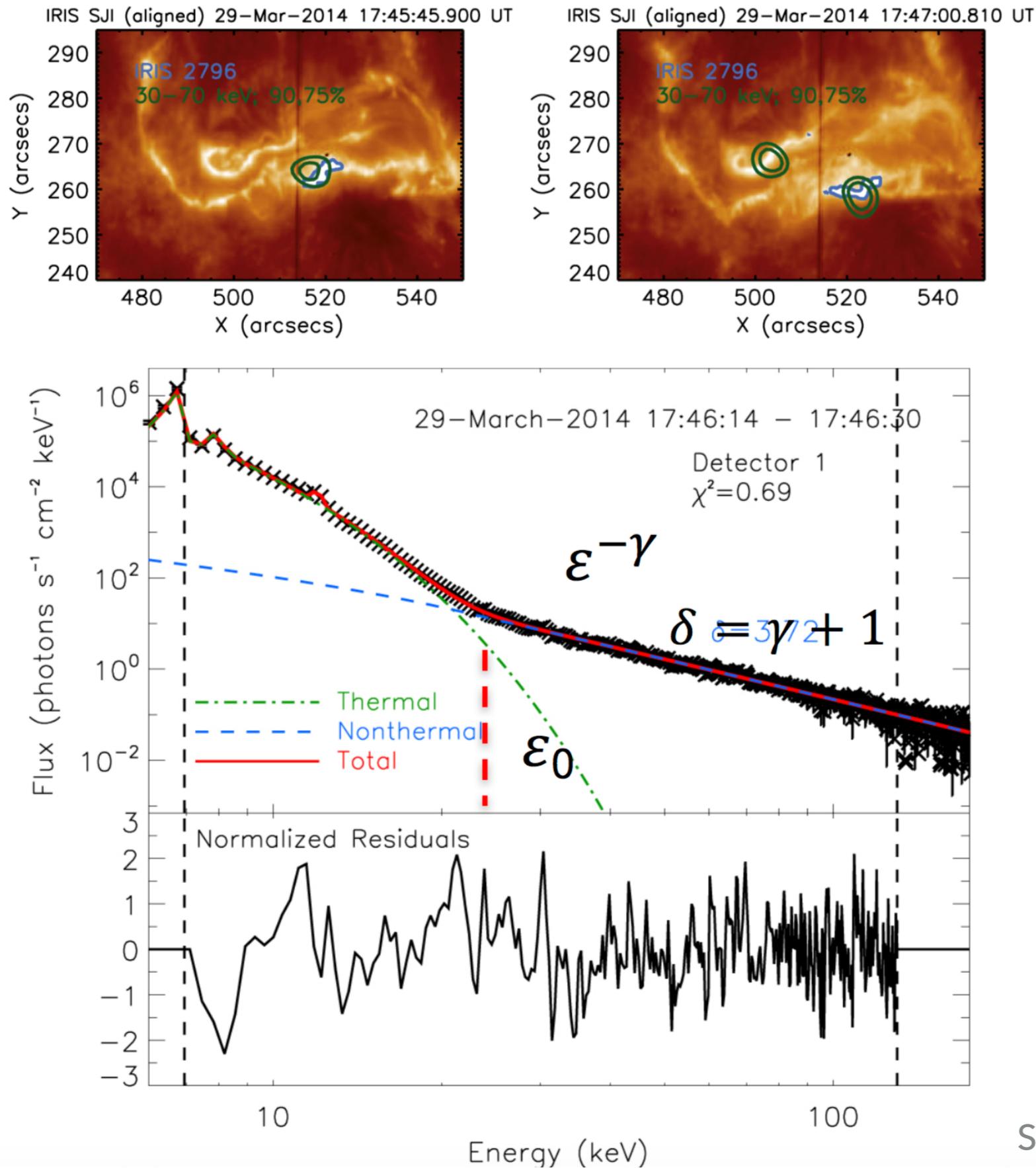
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FLARE HEATING PRESCRIPTION IN RHD CODES

- ▶ Bright redshifts, bright white-light (optical) co-spatial and co-temporal with hard X-ray emission: nonthermal electron distributions
- ▶ See Prof. Chen's previous lecture on modeling hard X-ray emission to infer power-law index (δ), low energy cutoff (keV), and power in nonthermal electrons (erg / s).
- ▶ In every flare loop, one must specify a nonthermal energy flux (erg / s / cm²) injected at the top of the loop: e.g., F11, 3.5F11, ... F13?
- ▶ See Prof. Longcope's lecture on stochastic and shock acceleration mechanisms; radiative-hydro models do not model reconnection and initial particle acceleration/injection.

DYNAMICS WITH NT PARTICLES

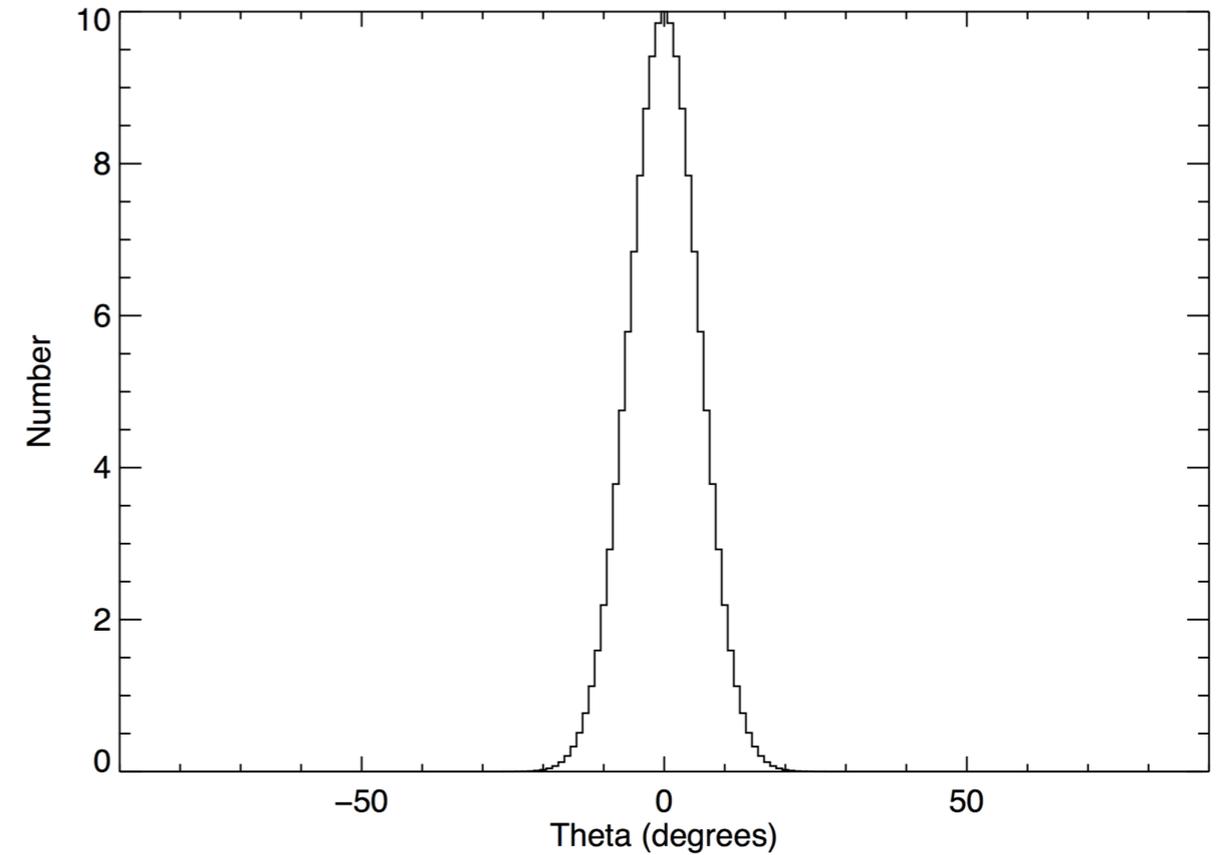
From Prof. Qiu's lecture #3



See also Kleint et al. 2016, Kowalski et al. 2017

INPUT PARAMETERS TO RADYN

```
*mass of beam particle, charge of particle, kfan (3=isotropic in forward ...
hemi, 2=gaussian in forward hemi), sigma_mu^2 of forward gaussian
511d3 -1.0 2 0.1
* Example ftab.dat
*npts
      9
*   Time (s)      delta      Ec (keV)  Flux (erg/s/cm^2)
*-----
0.00  4.00  25.00  1e11
0.10  4.00  25.00  1e11
1.00  4.00  25.00  1e11
5.00  4.00  25.00  1e11
10.0  4.00  25.00  1e11
10.01 4.00  25.00  1e-20
20.1  4.00  25.00  1e-20
50.0  4.00  25.00  1e-20
60.0  4.00  25.00  1e-20
```



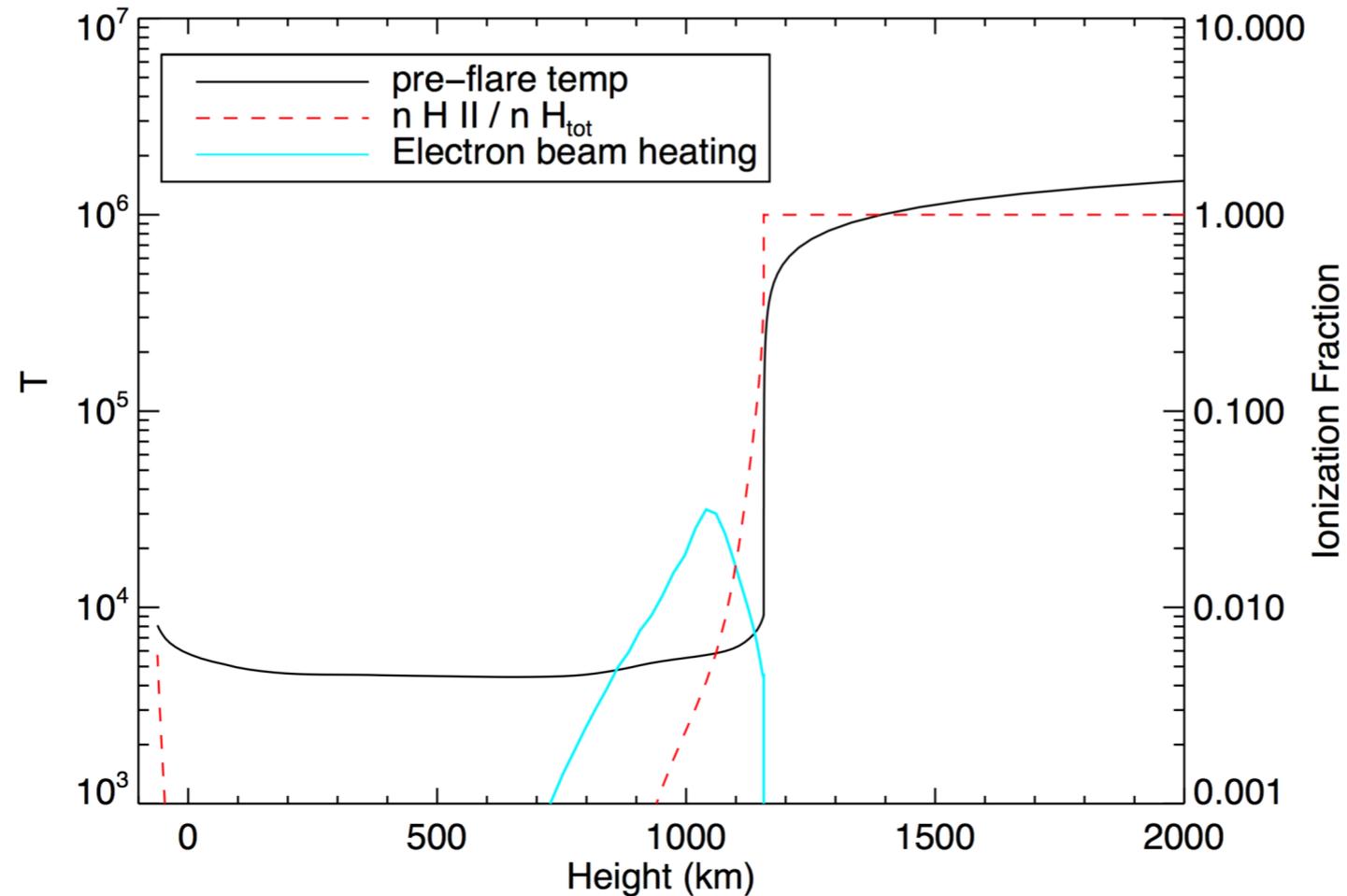
Quite highly collimated / "beamed"

THE FOKKER-PLANCK EQUATION

- ▶ additional reading:
 - ▶ McTiernan & Petrosian 1990, Allred et al. 2015
 - ▶ <https://hesperia.gsfc.nasa.gov/hessi/flarecode/efluxdoc.pdf>
 - ▶ $f(\mathbf{x}, \mathbf{p}, t) \rightarrow f(z, E, \mu)$, units of [number/cm³/keV/steradian]
 - ▶ time-independent solution to the Fokker-Planck equation where $df(z, E, \mu)/dt = 0$
 - ▶ re-solved when the atmosphere has changed state

PARTIALLY IONIZED CHROMOSPHERE

- ▶ Energy loss rate due to elastic Coulomb collisions with ambient electrons and electrons bound to atoms.

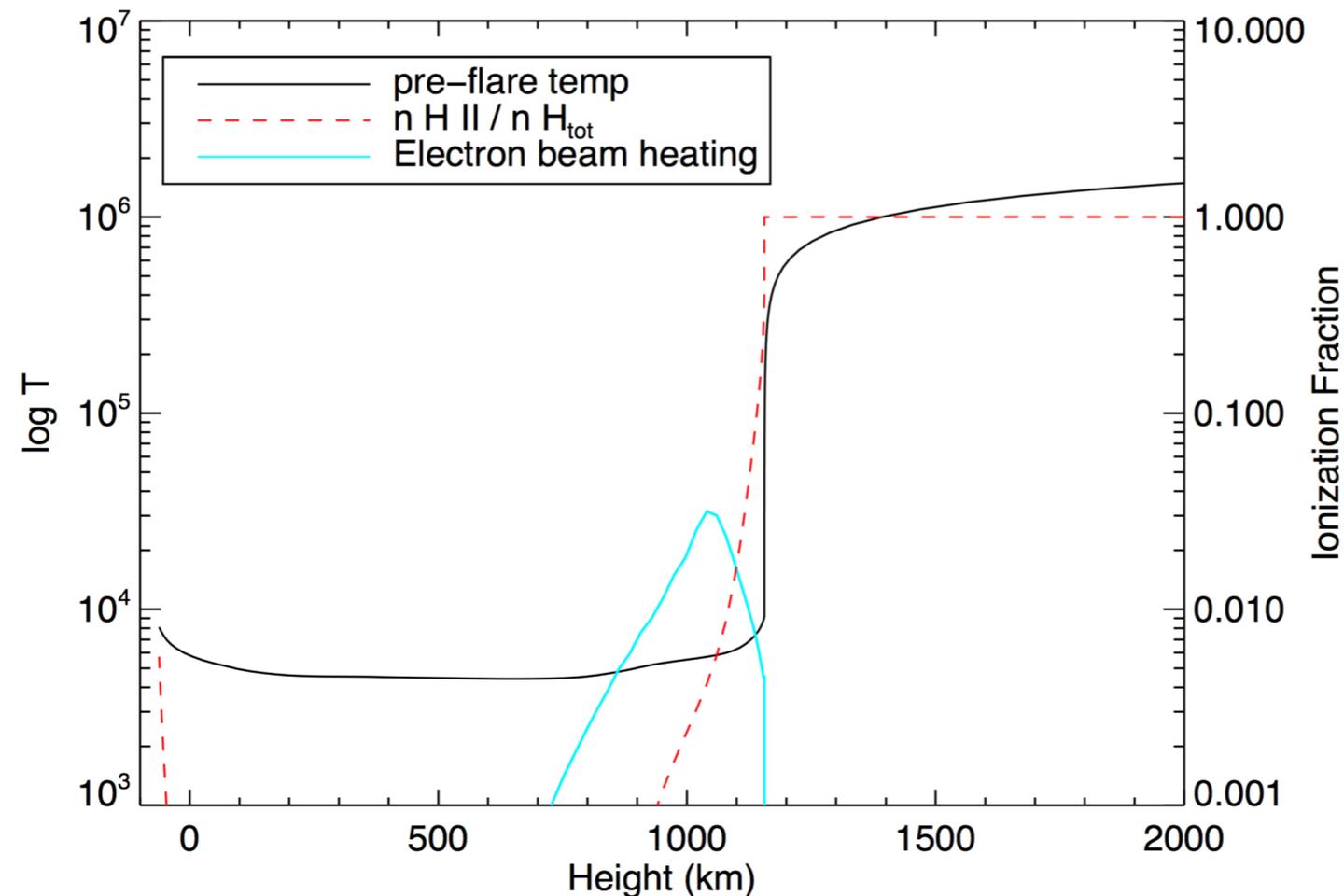


- ▶ A ratio of about three (Hawley & Fisher 1994, Mott & Massey 1965)

*Electron beam heating [erg/s/cm³, left axis] here is at $t=0$ s for $E_c=25$ keV, 5F11, $\delta=4.2$

CALCULATING BEAM ENERGY DEPOSITION RATES

$$Q_{beam} = \frac{d}{dz} \left(\int_{\mu} \int_E \mu v E f dE d\mu \right)$$

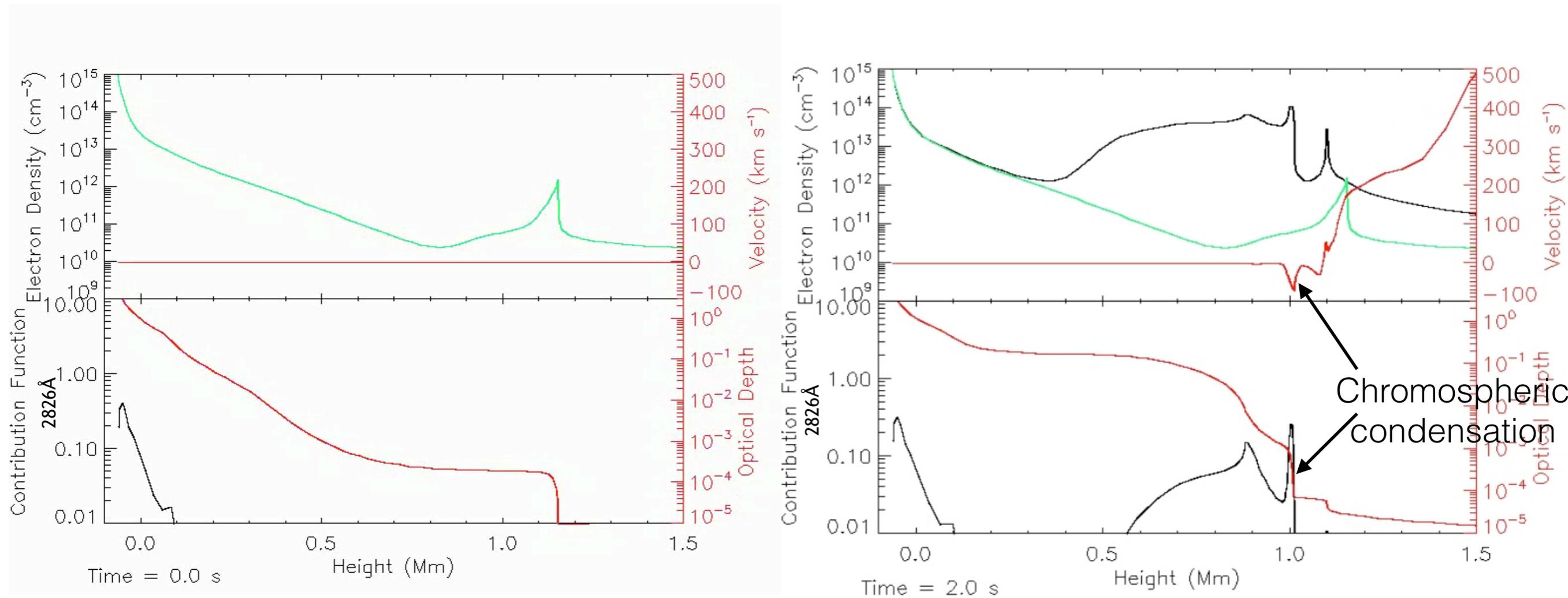


TERMS CAN BE TURNED ON OR OFF IN NUMERICAL F-P SOLVER

The F-P solver in RADYN written by Joel Allred (NASA/GSFC)

```
!
! bfield: (nz) Magnetic field strength (Gauss) at each z.
!
! thermE: (nz) Energy (eV) at which a particle is considered thermalized.
!           Particles with energies below this will not contribute to the
!           number flux.
!
! res: (nmu, nE, nz) If icntl(9).eq.1, then output the normalized residual
!                   after the solver has been run. Otherwise, not used.
!
! tol: When the average change between iterations is below tol, the
!       solver is assumed to have converged. Typical value is 1e-3.
!
! theta: Must be between 0 to 1. Relative weight of the new solution. This
!         can be used to damp changes in the iterative solver.
!         phi(n+1) = phi(n) * (1-theta) + new_phi * theta.
!         Small values will slow changes and can be used to damp
!         oscillations produced by the non-linear return current terms.
!         If no oscillations occur, then large values will speed up
!         convergence.
!         A typical value is 0.5, but this can be lowered if the return
!         current causes oscillations in the solution.
!
! icntl: (10) Parameters which control how the code is run.
!
!       Setting the following switches to zero turns off the corresponding terms:
!       icntl(1): Energy loss from collisions.
!       icntl(2): Pitch angle diffusion from collisions.
!       icntl(3): Energy loss and scattering due to synchrotron emission.
!       icntl(4): Pitch angle scattering due to magnetic mirroring.
!       icntl(5): Energy loss and scattering due to return currents.
!
!       icntl(6): Top of loop boundary condition
!                 = 0: Inject flux given in ftop for positive mu. Negative mu
!                   is allowed to vary according to the solver. This is
!                   effectively an OPEN boundary for negative mu.
!
!                 = 1: Inject flux given in ftop for positive mu, and reflect
!                   back downward the flux for negative mu. This is a
!                   REFLECTING condition. Recommended for typical flare
!                   situations.
!
```

MOVIE OF ATMOSPHERIC EVOLUTION AND CONTRIBUTION FUNCTION



Simulation from Kowalski et al. 2017

SUMMARY

- ▶ For modeling radiation from the chromosphere, need to include optical depth (absorption, scattering).
- ▶ Many sources of opacity.
- ▶ Modeling continuum opacity and emergent intensity provides an important and powerful diagnostic of the optical depth at $T \sim 10,000$ K in flares.
- ▶ On Monday: will do an IDL-based lab with RADYN model output.
 - ▶ analyze the physics of chromospheric evaporation and condensation that result from electron beam heating.
 - ▶ Will look at a contribution function!