CORONAL HEATING ORIGINS OF SOLAR SPECTRAL IRRADIANCE

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Research Program

- Goal: construct physics-based models of active regions and eventually the global Sun
- Prerequisite: must understand coronal loops and coronal heating
- Strategy:
 - Model loops and active regions using generic coronal heating
 - Investigate specific heating mechanisms (secondary instability)

State of Knowledge

- Static equilibrium can reproduce SXR (hot) emission
 - (Schrijver et al. 2004; Lundquist et al. 2004; Mok et al. 2005; Warren & Winebarger 2006)
- SE cannot reproduce EUV (warm) emission
 - Warm loops too faint
 - Moss at footpoints of hot loops too bright
- Does impulsive heating (nanoflares) work?
 - Warren & Winebarger
 - Klimchuk & company
- Does thermal nonequilibrium work?
 - Lionello & company (Mok et al. 2008)
 - Klimchuk & company (loops only)

Static Equilibrium (Warren & Winebarger 2006)

Yohkoh/SXT



Static Equilibrium (Warren & Winebarger 2006)

SOHO/EIT



Idealized Active Region Arcade (Patsourakos & Klimchuk 2008)

- Nested semi-circular loops
 EBTEL "0D" hydro simulations
- Heating: Q ~ L^{-2.8} (secondary instability)
- Steady vs. Impulsive
- Impulsive model uses time average
 Loop as bundle of unresolved strands
- SXT AIMg and TRACE 171 intensities



Intensity Profiles



Impulsive Model Better Matches Observations

- Reduced SXT-to-TRACE contrast in corona
- Reduced footpoint-to-corona contrast in TRACE
- Steeper SXT gradient across arcade (emission concentrated in active region core)
- Explanation:
 - Static model has shallow temperature gradient across arcade

 ${\rm T_c} \sim {\rm Q^{2/7}} \; {\rm L^{4/7}} \sim {\rm L^{-0.22}}$

- Only "SXT plasma" in corona; only "TRACE plasma" at footpoints
- Impulsive model has "TRACE plasma" both in corona and at footpoints

Active Region Modeling Plans

- Real active region
- Magnetic skeleton from extrapolated magnetogram
- Populate field lines with plasma using EBTEL hydro code and impulsive heating
- Generate synthetic images and spectra
- Vary heating parameters to get best fit (W&W looked at one parameter set only)



Intensity vs Model # (from Spiros this morning!) Q ~ B^a L^b for a = 1, n_a for b = 1, n_b run simulation end end a = [-1, 2] b = [-3, 3]

Criticisms of Impulsive Heating

- Hot (> 4MK) emission is predicted but not observed
 Response: Predicted to be faint and is observed (EIS and XRT)
- "Standard" nanoflare model predicts cospatial hot and warm loops, which are only sometimes observed
 - Response: No hot emission is predicted if enough (~ half) of the nanoflare energy goes into nonthermal electrons



Hinode/EIS Observations

Patsourakos & Klimchuk (2008)





Hinode / XRT Reale, Parenti, Testa, & Klimchuk (2008)



 $\begin{array}{ll} \text{Green:} & \log T < 6.7 \\ \text{Red:} & \log T > 7 \end{array}$





Time average of single nanoflare heated strand (approximates snapshot of multi-strand bundle)

Klimchuk, Patsourakos, & Cargill (2008)

Warm (~1 MK) Coronal Loops

- Over-dense relative to static equilibrium (too bright)
- Larger than hydrostatic scale heights (too uniform)
- Flat temperature profiles, as inferred from TRACE filter ratios (too isothermal)
- Live longer than a cooling time

THERMAL NONEQUILIBRIUM

- Dynamic behavior with steady heating!
- No equilibrium exists if the heating is concentrated close to the loop footpoints
- Cool condensations form and fall to the chromosphere in cyclical pattern

Serio et al. (1981), Antiochos & Klimchuk (1991), Karpen et al. (2001-2008), Mueller et al. (2003-2005), Mok et al. (2008)



t = 2950, 4500, 4850, 5750 s

Heating scale height = 5 Mm = L/15Imbalanced heating (right leg = 75% left leg)



6 strands: 50%, 75%, 90% heating imbalance (left/right and right/left) Temporal average



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 $n \sim 1/H$, H = section length = 14 Mm

Static equilibrium density for entire loop: $n_{eq} \sim 1/L$

Density enhancement factor: $n/n_{eq} = L/H = 11$

For H = constant, expect $n/n_{eq} \sim L$, as observed



